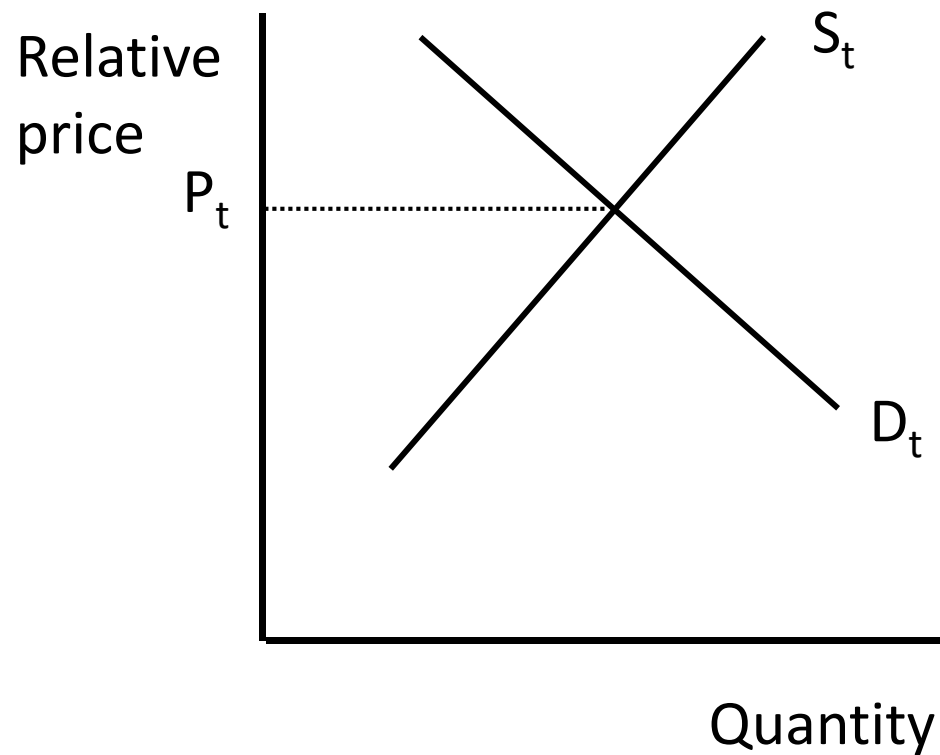


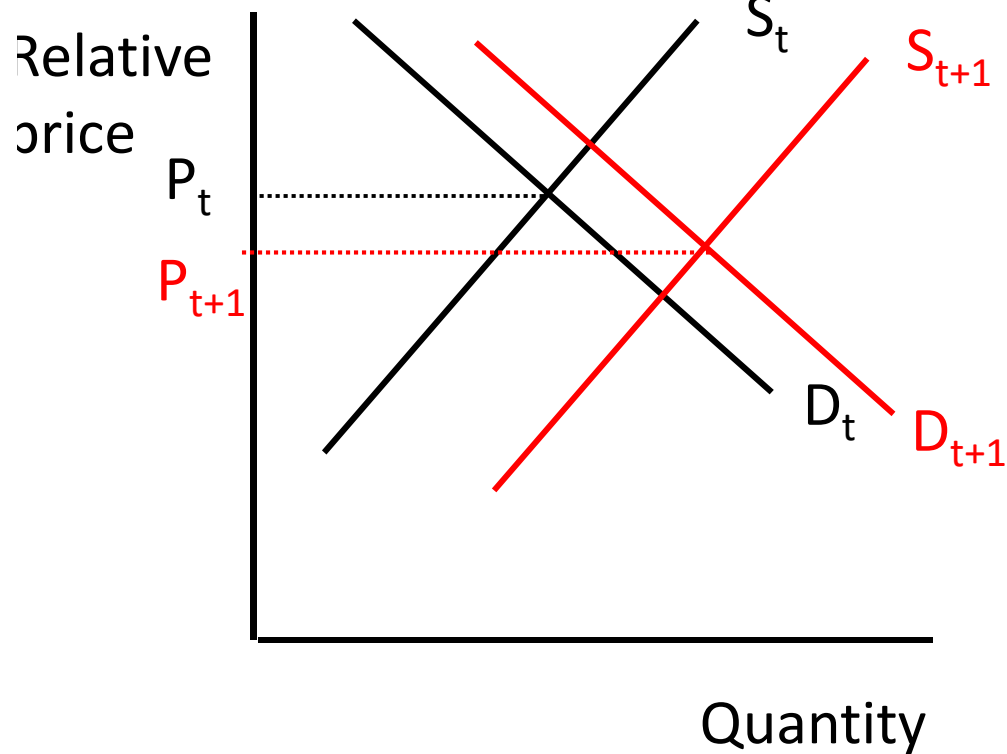
# Measuring World Real Economic Activity

James D. Hamilton

University of California at San Diego

# World market for shipping





- Demand shifts right most years as global economic activity increases
- Supply shifts right as capacity added and technology improves
- Supply shifts usually dominate and relative price falls

Kilian (AER): Model shifts in supply and growth in potential output using deterministic time trend, interpret deviations from trend as real economic activity

$x_t$  = index of nominal shipping cost

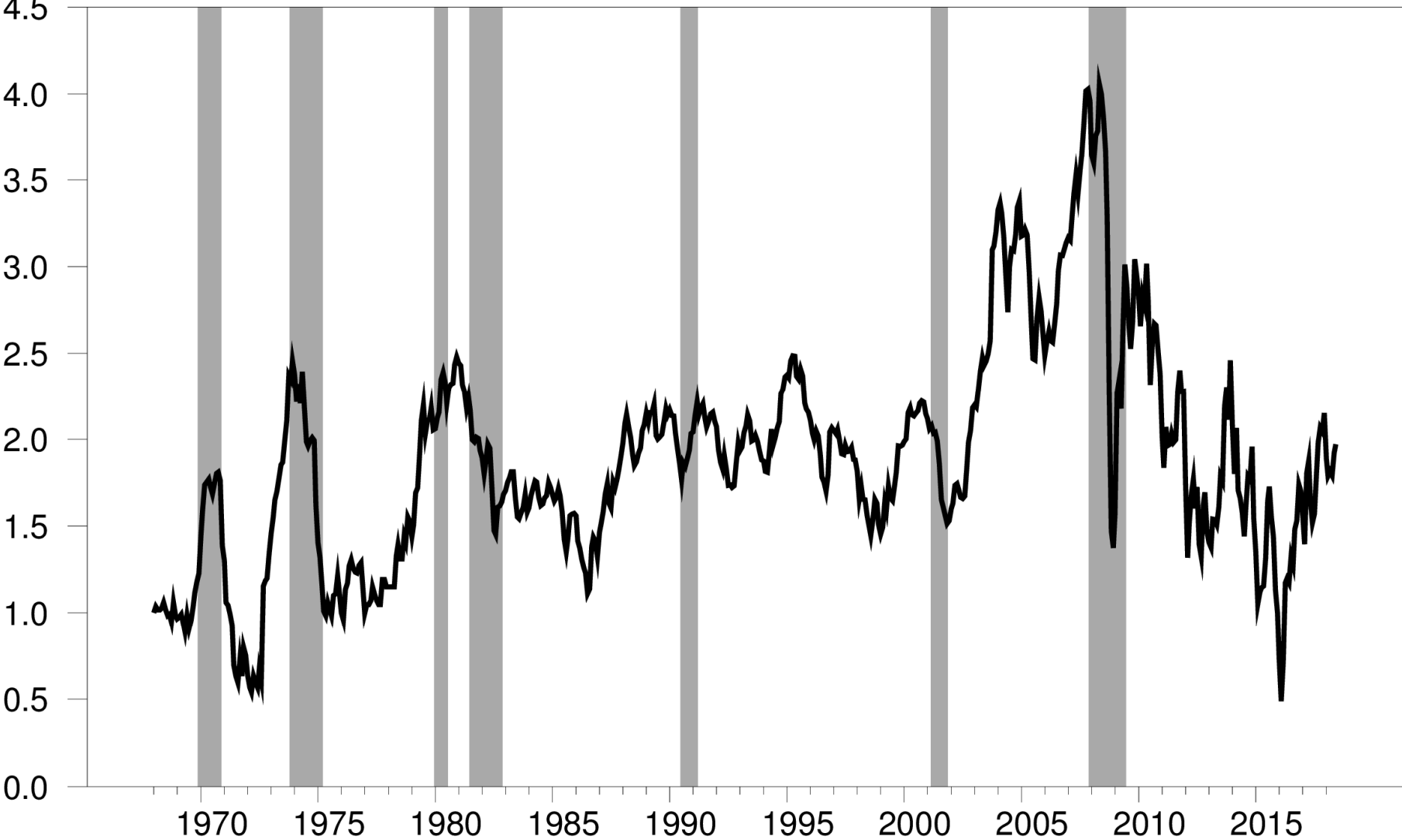
$$x_{1968:1} = 1$$

$x_t = x_{t-1} + \text{avg change in log of individual measures}$   
for  $t \leq 2007:12$

$$x_t = x_{t-1} + \Delta \log(BDI_t) \text{ for } t \geq 2008:1$$

$$\begin{aligned} \Rightarrow x_t &= \log(BDI_t) + x_{2008:1} - \log(BDI_{2008:1}) \\ &= \log(BDI_t) - 5.236 \text{ for } t \geq 2008:1 \end{aligned}$$

# Nominal index of shipping cost (x)



Calculate

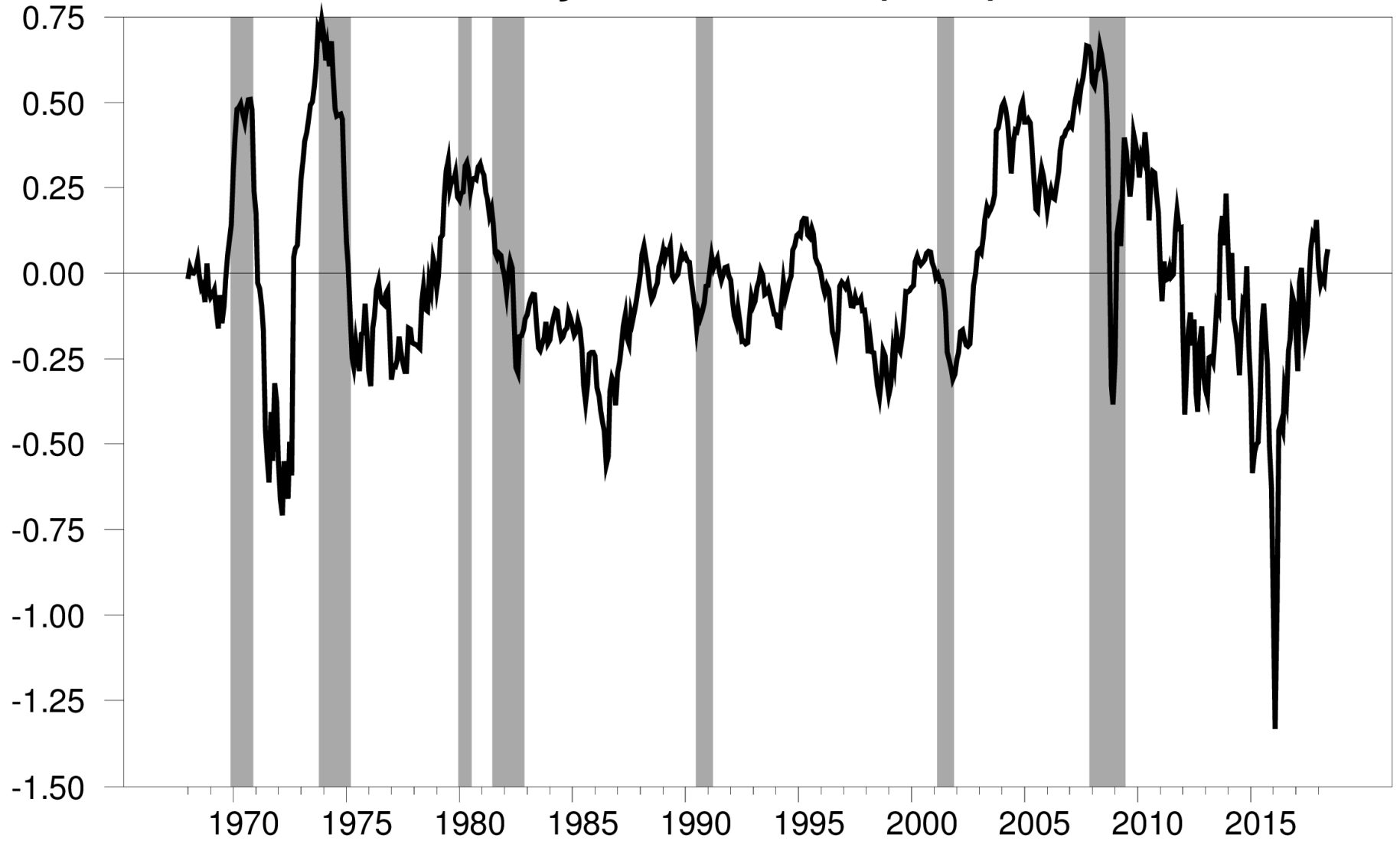
$$\log(x_t/CPI_t) = \log(x_t) - \log(CPI_t)$$

Regress

$$\log(x_t) - \log(CPI_t) = \alpha + \beta t + \varepsilon_t$$

residuals  $\varepsilon_t$  are the Kilian REA index

# Real activity index when $x(1968) = 1$





$x_t = \log(BDI_t) - 5.236$  for  $t \geq 2008:1$  when  $x_{1968:1} = 1$

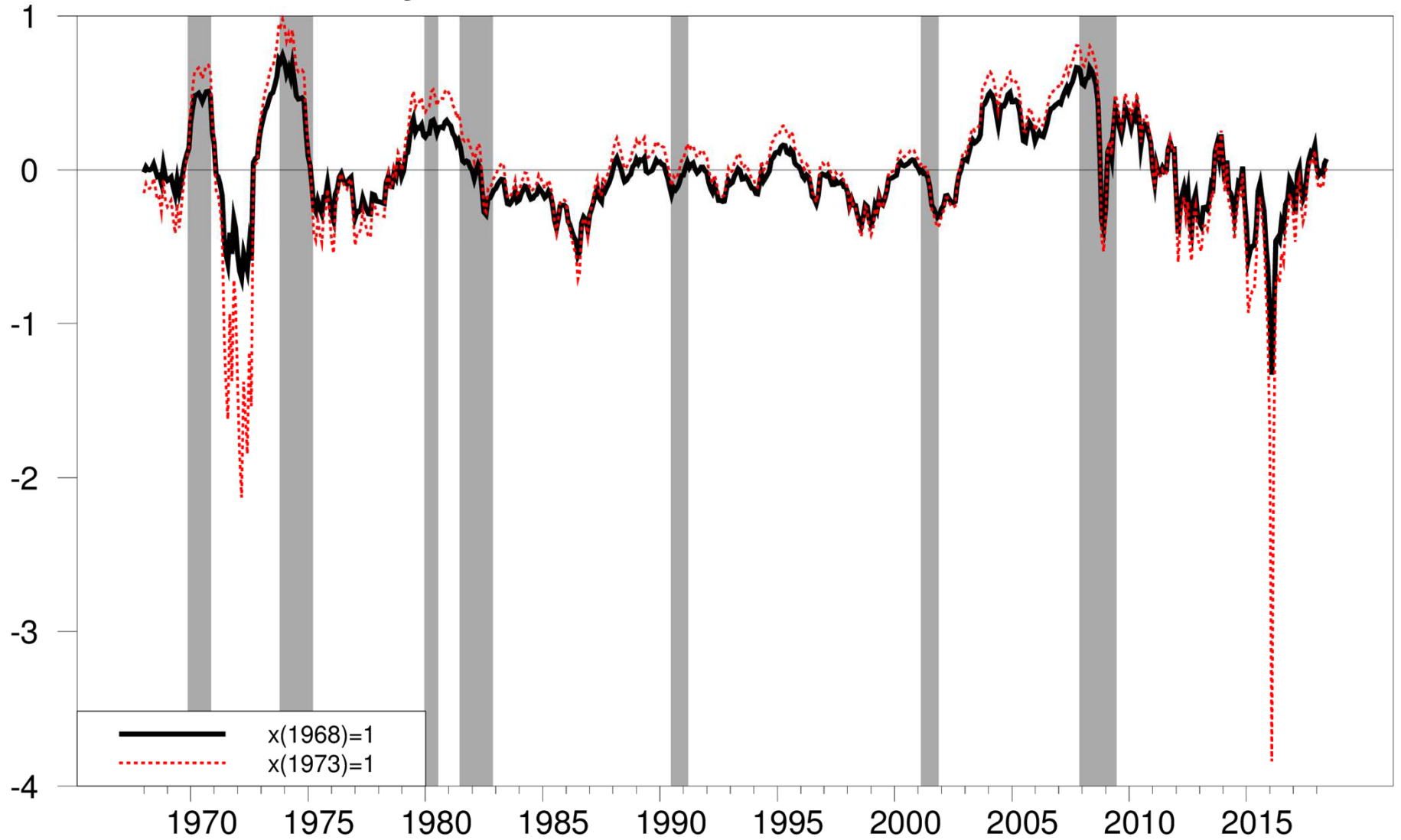
$$\log(x_t) - \log(CPI_t) = \alpha + \beta t + \varepsilon_t$$

$= \log[\log(BDI_t) - 5.236] - \log(CPI_t)$  when  $x_{1968:1} = 1$

Would be

$\log[\log(BDI_t) - 5.694] - \log(CPI_t)$  if  $x_{1973:1} = 1$

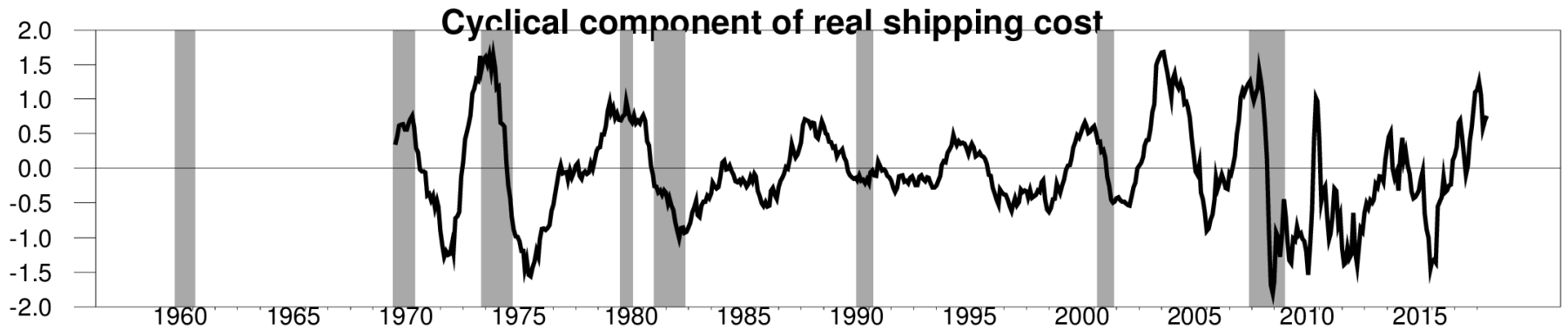
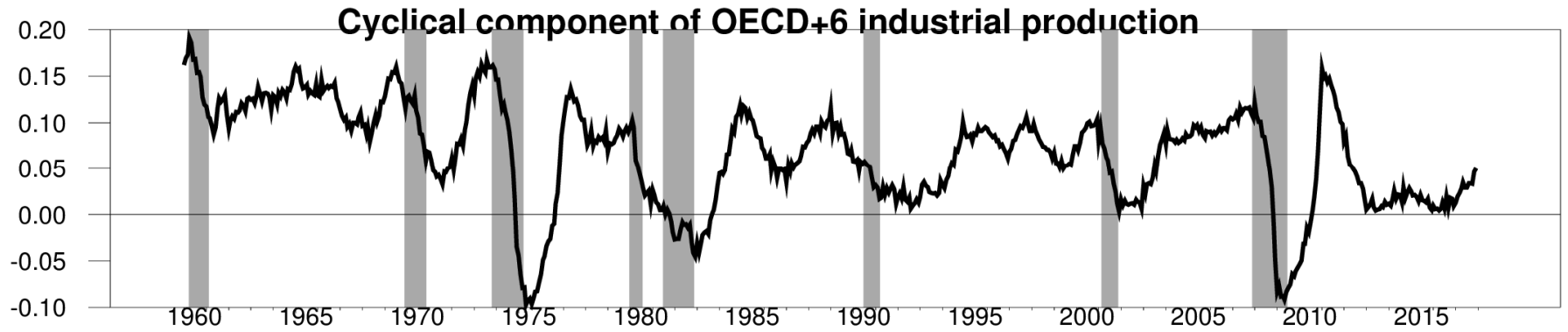
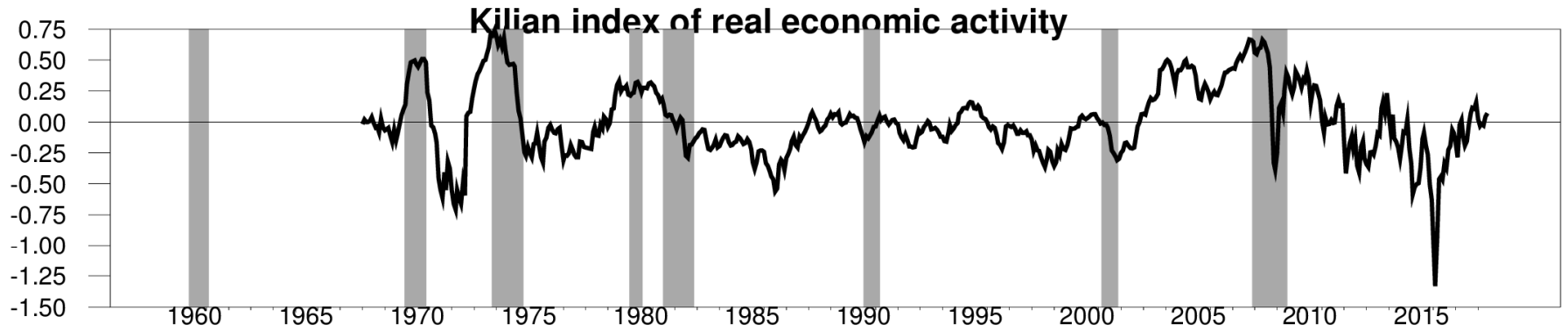
# Real activity index for different normalizations of x



Why would linear trend fit to  
 $\log[\log(BDI_t) - c_0] - \log(CPI_t)$   
summarize growth in shipping capacity,  
improvements in shipping technology, and  
potential GDP?

Alternative option:

- OECD Main Economic Indicators of industrial production in OECD + 6 major countries goes back to 1958:1
- Includes China since 1999
- Updated by Baumeister and Hamilton (2018)
- Isolate cyclical component as in Hamilton (forthcoming) by  $\log(y_t/y_{t-24})$
- If want to use shipping cost instead, better measure is  $x_t - x_{t-24} - \log(CPI_t/CPI_{t-24})$



# Daily cyclical component of real shipping cost, Mar 16, 2011 - Jul 16, 2018

