Government Spending Multipliers in Good Times and in Bad: Evidence from U.S. Historical Data

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Abstract

We investigate whether U.S. government spending multipliers are higher during periods of economic slack or when interest rates are near the zero lower bound. Using new quarterly historical U.S. data covering multiple large wars and deep recessions, we estimate multipliers that are below unity irrespective of the amount of slack in the economy. These results are robust to two leading identification schemes, two different estimation methodologies, and many alternative specifications. In contrast, the results are more mixed for the zero lower bound state, with a few specifications implying multipliers as high as 1.5.

We are grateful to Harald Uhlig, Roy Allen, Alan Auerbach, Graham Elliott, Yuriy Gorodnichenko, Jim Hamilton, Óscar Jordà, Michael Owyang, Carolin Pflueger, Garey Ramey, Tatevik Sekhposyan, Mark Watson, Johannes Wieland, anonymous referees, and participants at many conferences and seminars for very helpful suggestions. We thank Michelle Ramey for excellent research assistance.
1 Introduction

What is the multiplier on government spending? The policy debates that started during the Great Recession have led to an outpouring of research on this question. Most studies have found estimates of modest multipliers in aggregate data, often below unity. If multipliers are indeed this low, they suggest that increases in government purchases do not stimulate private activity and that fiscal consolidations based on reducing government purchases are unlikely to do much harm to the private sector.

Most of the estimates are based on averages for a particular country over a particular historical period. Because there is no scope for controlled, randomized trials on countries, all estimates of aggregate government multipliers are necessarily dependent on historical happenstance. Theory tells us that details such as the persistence of spending changes, how they are financed, how monetary policy reacts, and the tightness of the labor market can significantly affect the magnitude of the multipliers. Unfortunately, the data do not present us with clean natural experiments that can answer these questions. While the recent U.S. stimulus package was purely deficit financed and undertaken during a period of high unemployment and accommodative monetary policy, it was enacted in response to a weak economy and hence any aggregate estimates are subject to simultaneous equations bias.

During the last several years, the literature has begun to explore whether estimates of government spending multipliers vary depending on circumstances. One strand of this literature considers the possibility that multipliers are higher than normal during recessions (e.g. Barro and Redlick (2011), Auerbach and Gorodnichenko (2012, 2013), Fazzari et al. (2015)). Another strand of the literature considers how monetary policy affects government spending multipliers. New Keynesian DSGE models show that when interest rates are stuck at the zero lower bound, multipliers can be higher than in normal times (e.g. Cogan et al. (2010), Christiano et al. (2011), Coenen and et al. (2012)).
This paper contributes to the empirical literature by conducting a comprehensive investigation of whether government spending multipliers in the U.S. differ according to two potentially important features of the economy: (1) the amount of slack in the economy and (2) whether interest rates are near the zero lower bound. We show that the post-WWII U.S. data does not contain enough information to distinguish multipliers across either of these states at most horizons. Extending the initial analysis in Owyang et al. (2013), we exploit the fact that the entire 20th Century contains potentially richer information than the post-WWII data that has been the focus of most of the recent research. We create a new quarterly data set for the U.S. extending back to 1889. This sample includes episodes of huge variations in government spending, wide fluctuations in unemployment, prolonged periods near the zero lower bound of interest rates, and a variety of tax responses.

This paper extends the small, but growing, literature on state dependence of government spending multipliers in two additional ways. First, our paper analyzes state-dependence involving the important zero lower bound state. Only two previous papers specifically estimated multipliers over an episode of the zero lower bound, Ramey (2011) for the U.S. and Crafts and Mills (2013) for the U.K., but neither tested for differences relative to normal times. Second, our paper contributes to the general state-dependent multiplier literature by highlighting some key methodological issues that arise. In particular, we show that some of the most widely-cited findings of high multipliers during recessions are due to assumptions that may be at odds with the data generating process. We show that the finding of high multipliers during low growth periods disappears when data-consistent assumptions are used.

Using Jordà’s (2005) local projection method we find no evidence that government spending multipliers are high during high unemployment states. Most estimates of the multiplier are between 0.3 and 0.8. We find a statistically significant difference in multipliers across states only when we identify spending shocks following Blanchard and Perotti’s (2002)
method; however, the difference is due not to high multipliers in the high unemployment state but to very low multipliers in the low unemployment state. We perform extensive robustness checks with respect to our measures of state, sample period, the behavior of taxes, and alternative estimation frameworks and find little change in the estimates.

We find mixed evidence on the size of the multiplier at the zero lower bound. For the full sample, there is no evidence of multipliers greater than one at the zero lower bound. When we exclude the rationing periods of WWII, however, we find multipliers as high as 1.5 in the zero lower bound state in some cases.

We also demonstrate that most of the differences in conclusions between our work and that of the leading alternative study on state-dependent multipliers of Auerbach and Gorodnichenko (2012) lie in subtle, yet crucial, assumptions underlying the construction of impulse response functions on which the multipliers are based. In contrast to linear models, where the calculation of impulse response functions is a straightforward undertaking, constructing impulse response functions in nonlinear models is fraught with complications. Furthermore, when we apply their threshold VAR method to our longer sample, but in a way that is more consistent with the data-generating process, we find results that are very similar to those produced by the Jordà method.

The paper proceeds as follows. We begin by discussing the motivation for using a historical sample and then conduct some case studies of wars in Section 2. In Section 3 we introduce the econometric methodology. In Section 4, we present our measures of slack and then present estimates of a model in which multipliers are allowed to vary according to the amount of slack in the economy. We also conduct various robustness checks. Section 5 tests theories that predict that multipliers should be greater when interest rates are at the zero lower bound. Section 6 explores alternative methodologies and explains why our results are different from the pre-existing estimates in the literature and the final section concludes.
2 Historical Sample and Case Studies

In this section, we begin by motivating why we construct a new historical data set to study multipliers. We then briefly describe the data construction, leaving most details to the data appendix. Finally, because there are three wars in our sample that potentially play an influential role for our estimates, we conduct brief case studies of those three periods.

2.1 Why Use Historical Data?

The ideal way to measure the effects of government purchases on an economy would be to ask the IMF to conduct a randomized control trial across countries, randomly assigning changes in government spending (and how they are financed) across countries and then using simple statistical techniques to estimate the effects. Obviously, such an experiment is impossible. Thus, macroeconomists must resort to estimating multipliers by exploiting "natural experiments" or other identification methods using time series on national historical data.\footnote{The natural experiments ideally involve aggregate data. As Nakamura and Steinsson (2014) and Farhi and Werning (2016) show, the multipliers estimated from natural experiments that involve cross-state or cross-province differences are not the same as aggregate multipliers. A number of cross-state analyses find some evidence of higher multipliers when the state unemployment rate is higher, but translating those to aggregate multipliers is not straightforward.}

To be informative, the identified changes in government spending must be exogenous and big enough to be able to extract their effects from the many other economic shocks hitting the economy. The challenge becomes even greater once one attempts to estimate state-dependent multipliers since informative estimates require that the states span a sufficient portion of the sample and that the exogenous changes in government spending be spread across the states.

Long samples of historical data for the U.S. meet this challenge well since U.S. historical data includes many more periods of slack, one more extended period near the zero lower bound, and much larger variations in government spending during world wars. Historical samples come with their own potential problems, though. For example, one may wonder...
whether the U.S. economy has changed so much over time that estimates from historical samples are uninformative for modern policy. We would argue that, if anything, the changes over time would reduce multipliers in recent years. The models that produce some of the highest multipliers are ones in which a higher fraction of consumers are rule-of-thumb or hand-to-mouth consumers. Increases over time in financial market access and consumer sophistication should reduce the fraction of rule-of-thumb consumers, thus reducing multipliers in recent years. Separately, monetary policy and fiscal policy have been conducted differently over various periods, but both the pre-WWII and post-WWII sample display periods of more or less monetary accommodation and more or less deficit financing of government spending. Thus, we believe that estimates from historical samples can be informative for modern policy debates.

Alternatively, one might argue that since wars are "abnormal," we should exclude them. Friedman (1952) countered this argument years ago:

The widespread tendency in empirical studies of economic behavior to discard war years as "abnormal," while doubtless often justified, is, on the whole, unfortunate. The major defect of the data on which economists must rely - data generated by experience rather than deliberately contrived experiment - is the small range of variation they encompass. Experience in general proceeds smoothly and continuously. In consequence, it is difficult to disentangle systematic effects from random variation since both are of much the same order of magnitude. From this point of view, data for wartime periods are peculiarly valuable. At such times, violent changes in major economic magnitudes occur over relatively brief periods, thereby providing precisely the kind of evidence that we would like (to) get by "critical" experiments if we could conduct them. Of course, the source of the changes means that the effects in which we are interested are necessarily intertwined with others that we would eliminate from a contrived
experiment. But this difficulty applies to all our data, not to data for wartime periods alone.

We also believe that there is much to be learned from war-time periods, but do recognize the potential effects of confounding factors. We will discuss those factors in the case studies below and in the sample exclusions in the econometric estimation.

A separate issue is whether the economy responds to military spending in the same way it would respond to other types of government purchases, e.g. non-defense consumption, infrastructure, etc. This is a valid concern and is related to the standard question of whether a local average treatment effect (LATE) is equal to the average treatment effect (ATE). Our baseline instrument will be an updated version of Ramey’s (2011) military news variable, so it only captures news about changes in military spending and most of actual spending arrives with delay. In order to broaden our range of treatments, we will also use the Blanchard and Perotti (2002) shock. This identification scheme is based on the assumption that within-quarter government spending does not contemporaneously respond to macroeconomic variables. While in response to a military news shock, government spending rises with a delay, the Blanchard-Perotti shocks also help capture the effects of a shock where spending peaks close to impact. Using the Blanchard-Perotti shock involves a tradeoff, however, since this type of shock is both more sensitive to potential measurement errors in the historical data and subject to the critique that it is likely to have been anticipated.

### 2.2 Data Description

In order to exploit the information in the historical sample, we construct quarterly data from 1889 through 2015 for the U.S. We choose to estimate our model using quarterly data rather than annual data because agents often react quickly to news about government spending and
the state of the economy can change abruptly.\textsuperscript{2} The historical series include real GDP, the GDP deflator, government purchases, federal government receipts, population, the unemployment rate, interest rates, and defense news.

The data appendix contains full details, but we highlight some of the features of the data here. From 1939 to the present, we use available published quarterly series. For the earlier periods, we follow Gordon and Krenn (2010) by using various higher frequency series to interpolate existing annual series.\textsuperscript{3} In most cases, we use the proportional Denton procedure which results in series that average up to the annual series.

The annual real GDP data combine the series from \textit{Historical Statistics of the U.S.} (Carter et al. (2006)) for 1889 through 1928 and the NIPA data from 1929 to the present. The annual data are interpolated with Balke and Gordon’s (1986) quarterly real GNP series for 1889-1938 and with quarterly NIPA nominal GNP data adjusted using the CPI, for 1939-1946. We use similar procedures to create the GDP deflator.\textsuperscript{4}

Real government spending is derived by dividing nominal government purchases by the GDP deflator. Government purchases include all federal, state, and local purchases, but exclude transfer payments. We splice Kendrick’s (1961) annual series starting in 1889 to annual NIPA data starting in 1929. Following Gordon and Krenn (2010), we use monthly federal outlay series from the NBER Macrohistory database to interpolate annual government spending from 1889 to 1938. We use the 1954 quarterly NIPA data from 1939-1946 to interpolate the modern series. We follow a similar procedure for federal receipts.

Figure 1 shows the logarithm of real per capita government purchases and GDP. We include vertical lines indicating major military events, such as WWI, WWII and the Korean War. It is clear from the graph that both series are quite noisy in the pre-1939 period. This

\textsuperscript{2} For example, the unemployment rate fell from over 10 percent to 5 percent between mid-1941 and mid-1942.

\textsuperscript{3} Gordon and Krenn (2010) use similar methods to construct quarterly data back to 1919. We constructed our own series rather than using theirs in order to include WWI in our analysis.

\textsuperscript{4} We also check the robustness of our results by using alternative series constructed by Christina Romer in the online supplemental appendix. See Romer (1999) for a discussion of her data.
behavior stems from the interpolator series, especially in the case of government spending. Part of this behavior owes to the fact that the monthly data used for interpolation include government transfers and are on a cash (rather than accrual) basis. Fortunately, the measurement errors are not important for our baseline multiplier estimates because we instrument for government spending using a narrative series that is uncorrelated with this measurement error.

The unemployment series is constructed by interpolating Weir’s (1992) annual unemployment series, adjusted for emergency worker employment.\(^5\) For 1929 to 1948 we use the monthly unemployment series available from the NBER Macrohistory database back to April 1929 to interpolate. Before 1929, we interpolate Weir’s (1992) annual unemployment series using business cycle dates and the additive version of Denton’s method. Our comparison of the series produced using this method with the actual quarterly series in the post-WWII period reveal that they are surprisingly close.

Because it is important to identify a shock that is not only exogenous to the state of the economy but is also unanticipated, we use narrative methods to extend Ramey (2011) defense news series. This news series focuses on changes in government spending that are linked to political and military events, since these changes are most likely to be independent of the state of the economy. Moreover, changes in defense spending are anticipated long before they actually show up in the NIPA accounts. For a benchmark neoclassical model, the key effect of government spending is through the wealth effect. Thus, the news series is constructed as changes in the expected present discounted value of government spending. The narrative underlying series is available in Ramey (2016). The particular form of the variable used as the shock is the nominal value divided by one-quarter lag of the GDP deflator times trend real GDP. The real GDP time trend is estimated as a sixth degree polynomial for

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5. Because we use the unemployment series to measure slack, we follow the traditional method and include emergency workers in the unemployment rate.
the logarithm of GDP, from 1889q1 through 2015q4 excluding 1930q1 through 1946q4.\footnote{We also show the robustness of our results for an alternative potential GDP measure in the online supplemental appendix.}

This method for estimating trend real GDP is similar to the method used by Gordon and Krenn (2010). We display the military news series in later sections when we construct the states so that one can see the juxtaposition.

For the local average treatment effect issues discussed in the last section, we will also explore results using the Blanchard and Perotti (2002) shock. This shock is identified simply from a Cholesky decomposition in a VAR with total government spending ordered first. Unfortunately, because this shock is constructed directly from the government spending series, any measurement error in that series will also be incorporated into the shock, which can lead to attenuation of the multiplier estimates. We will show that the relevance of each shock as an instrument varies by horizon and that using both as instruments together can have advantages.

### 2.3 Case Studies of Three Wars

Our main results are based on time series econometrics. Nevertheless, since the wartime periods contain influential observations for the estimates, it is useful to give a brief overview of the three most important wars in our sample: WWI, WWII, and the Korean War. As Ramey (2013) argues, if the within-quarter government spending multiplier is greater than unity, then the response of private spending (i.e. GDP minus government spending) must be positive. Thus, it is instructive to look at the comovement of private spending and government spending. Figure 2 shows real private spending and real government spending (both deflated with the same GDP deflator, but not divided by trend) in the left column, the military news shock in the middle panel, and the civilian unemployment rate in the right column. Each row shows the data from one of the three wars. The shaded areas in the middle column indicate
times when interest rates were near the zero lower bound.

Consider first WWI. The war started in Europe in August 1914, but the U.S. did not expect to get involved until subsequent events led the U.S. to break off official relations with Germany in February 1917 and to declare war in April 1917. Both the first large military news shock and the first small jump in government spending occurred in the second quarter of 1917. Government spending rose rapidly to a peak of 33 percent of GDP at the end of 1918, when the armistice was signed.

The graphs highlight several key aspects. First, private spending tended to move in the opposite direction of government spending during WWI. There was no mandatory rationing in the U.S. during WWI, only a campaign for victory gardens and voluntary rationing of food to show solidarity with the European allies. Thus, the behavior of private spending cannot be attributed to rationing. Second, the unemployment rate had already fallen below 6 percent when government spending began to increase. The civilian unemployment rate continued to decline as government spending increased, in large part because of the dramatic rise in the armed forces: the armed forces rose from 0.4 percent of the total labor force (civilian plus armed forces) in 1916 to 9.9 percent in 1918q4. Thus, WWI illustrates the case of big government spending shocks hitting the economy when there was not much slack and interest rates were well above the zero lower bound.7 It appears that government spending partially crowded out private spending. Overall, GDP rose and the unemployment rate fell, so the multiplier appears to be between 0 and 1 during WWI.

In contrast, the buildup to WWII occurred when there was significant slack in the economy and the economy was at the zero lower bound. The war in Europe began in September 1939 and the ominous events of Spring 1940 made it clear that the U.S. had to raise defense spending dramatically (see, for example, the narratives of Ramey (2016) and Gordon and Krenn (2010)). As the second row of Figure 2 shows, the civilian unemployment rate (de-

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7. The Federal Reserve had only been established in 1914. At the start of WWI, it lowered the discount rate from 5.75 percent to 3.75 percent, but then raised it to 4.56 percent after the U.S. became involved.
fined here to include emergency workers in New Deal jobs) was falling steadily in 1938 and 1939, but was still 14 percent when the first big news shock hit in 1940. The U.S. government imposed the draft in September 1940 and the unemployment rate continued to fall as the armed forces’ percent of the total labor force rose from 0.6 percent to over 18 percent.

Government spending rose from around 15 percent of GDP in early 1940 to almost 50 percent GDP in 1944 and 1945 and then fell to 17 percent by the end of 1946. Meanwhile, private spending rose briskly from 1938 through the first half of 1941 and then stalled for the rest of the war. It soared when government spending fell at the end of the war.

There were two important complicating factors during WWII. The first was the dramatic rise in the labor force participation rate, due both to conscription and patriotism. The total labor force (civilian and military) rose 12 percent from 1939 to 1945. This rise allowed much more output to be produced than one would expect during non-war times. The second factor was the presence of price and credit controls and rationing, which began to be imposed on some goods in early 1942 and were lifted at the end of the war. The standard story is that private spending declined in WWII because of the rationing and rose after WWII when rationing was lifted. However, this story doesn’t discuss the counterfactual: what would private spending had done if the government had not imposed price controls and rationing? It is not implausible to believe that changes in relative prices, interest rates, and other market forces would have led private spending to respond in a similar way.8

In sum, WWII contains potentially rich information because interest rates were at the zero lower bound before, during, and after the war, whereas the unemployment rate was elevated only before 1942. However, how rationing and conscription affected the path of private spending relative to what it would have done if prices, wages and interest rates had been allowed to adjust remains an outstanding question.

Consider finally the Korean War, shown in the bottom row of Figure 2. North Korea

8. See McGrattan and Ohanian (2010) who argue that the neoclassical model explains the behavior of quantities very well.
invaded South Korea in the last days of June 1950 and the first big spending news shock hit in 1950q3. Government spending itself rose slightly in 1950q4 and then briskly in 1951 and 1952. As discussed later in the paper, we time the ending of the zero lower bound period as the Treasury Accord of March 1951. Unemployment was already low when the war started, and conscription contributed to further declines as the war progressed, with the armed forces’ share of the total labor force rising from 2.3 percent in 1950 to 5.5 percent in 1952. Private spending was rising briskly before the war started and before government spending rose significantly, and then slowed down.

These case studies highlight several elements of the historical data we use. First, the wars give multiple, potentially informative, observations for big changes in government spending. Second, some of those changes come when the unemployment rate is high and some when it is low, and some when interest rates were near the zero lower bound. Third, confounding factors, such as the effects of military conscription, temporary increases in labor force participation, and controls on the economy, must be kept in mind.9

3 Econometric Methodology

In this section, we discuss a number of important details of the methodology. We first describe the Jordà local projection method that we use for our baseline estimates. We then discuss several pitfalls in calculating multipliers. We show that several widely-used methods for translating estimates to multipliers can result in upward biases in multipliers. In addition, we introduce a new instrumental variables method for estimating cumulative multipliers in a one-step instrumental variables regression. This new method also allows us to use multiple candidates for government spending shocks at the same time.

9. The online supplemental appendix shows the behavior of taxes and deficits during the three wars. Both WWI and WWII were financed by a mix of deficit spending and taxes. As Ohanian (1997) shows, the Korean War was mostly financed with tax increases.
3.1 Model Estimation Using Local Projection

We use Jordà’s (2005) local projection method to estimate impulse responses and multipliers in our baseline. Auerbach and Gorodnichenko (2013) were the first to use this technique to estimate state-dependent fiscal models, employing it in their analysis of OECD panel data.10 The Jordà method simply requires estimation of a series of regressions for each horizon $h$ for each variable. The linear model looks as follows:

$$x_{t+h} = \alpha_h + \psi_h(L)z_{t-1} + \beta_h\text{shock}_t + \epsilon_{t+h}, \text{ for } h = 0, 1, 2, ...$$

$x$ is the variable of interest, $z$ is a vector of control variables, $\psi_h(L)$ is a polynomial in the lag operator, and $\text{shock}$ is the identified shock. The baseline shock is the defense news variable scaled by trend GDP. Our vector of baseline control variables, $z$, contains real per capita GDP and government spending, each divided by trend GDP. In addition, $z$ includes lags of the news variable to control for any serial correlation in the news variable. $\psi(L)$ is a polynomial of order 4. When we employ the Blanchard and Perotti (BP) identification, the shock is simply given by current government spending, since the set of controls, $z$, includes lagged measures of GDP and government spending. Thus, this is equivalent to the BP SVAR identification.11 The coefficient $\beta_h$ gives the response of $x$ at time $t+h$ to the shock at time $t$. Thus, one constructs the impulse responses as a sequence of the $\beta_h$’s estimated in a series of single regressions for each horizon. This method stands in contrast to the standard method of estimating the parameters of the VAR for horizon 0 and then using them to iterate forward to construct the impulse response functions.

The local projection method is easily adapted to estimating a state-dependent model. For

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10. Stock and Watson (2007) also explore the properties of this method for forecasting.
11. Blanchard and Perotti identification also includes taxes in the VAR. We show in the following sections that our results for both BP and news shocks are robust to the inclusion of taxes in the set of controls.
the model that allows state-dependence, we estimate a set of regressions for each horizon $h$ as follows:

$$\begin{align*}
  x_{t+h} &= I_t \left[ \alpha_{A,h} + \psi_{A,h}(L)z_{t-1} + \beta_{A,h}\text{shock}_t \right] \\
  &\quad + (1 - I_t) \left[ \alpha_{B,h} + \psi_{B,h}(L)z_{t-1} + \beta_{B,h}\text{shock}_t \right] + \varepsilon_{t+h}.
\end{align*}$$

$I$ is a dummy variable that indicates the state of the economy when the shock hits. We allow all of the coefficients of the model to vary according to the state of the economy. Thus, we are allowing the forecast of $x_{t+h}$ to differ according to the state of the economy when the shock hit. The only complication associated with the Jordà method is the serial correlation in the error terms induced by the successive leading of the dependent variable. Thus, we use the Newey-West correction for our standard errors (Newey and West (1987)).

### 3.2 Pitfalls in Calculating Multipliers

We now highlight two potential problems that affect multipliers computed not only from nonlinear VARs but also from all of the standard linear SVARs used in the literature.

#### 3.2.1 Logs vs. Levels

The first problem concerns the conversion of elasticities to multipliers. The usual practice in the literature is to use the log of variables, such as real GDP, government spending, and taxes. However, the estimated impulse response functions do not directly reveal the government spending multiplier because the estimated elasticities must be converted to dollar equivalents. Virtually all analyses using VAR methods obtain the spending multiplier by using an *ex post* conversion factor based on the sample average of the ratio of GDP to government spending, $Y/G$. 
We first noticed a potential problem with this method when we extended our sample back in time. In the post-WWII sample, \( Y/G \) varies between 4 and 7, with a mean of 5. In our full sample from 1889-2015, \( Y/G \) varies from 2 to 24 and with a mean close to 8. We realized that we could estimate the same elasticity of output with respect to government spending, but derive much higher multipliers simply because the mean of \( Y/G \) was so much higher. In the online supplemental appendix, we show the results of experiments indicating that using an ex post conversion factor biases the multiplier estimates up in our sample.

In order to avoid this bias, we use Gordon and Krenn (2010) transformation. Instead of taking logarithms of the variables, they divide all NIPA variables by an estimate of potential, or trend, GDP. This puts all NIPA variables in the same units, so that one can estimate the multiplier directly. We do this as well, using a polynomial to estimate trend real GDP (as discussed previously in the data description).

An alternative transformation is the one used by Hall (2009) and Barro and Redlick (2011). Owyang et al. (2013), as well as previous versions of this paper, used that transformation. The estimates are very similar. We chose the Gordon and Krenn (2010) transformation because that transformation can also be used in a VAR. Later, we will be comparing our baseline estimates to those from a threshold VAR.

### 3.2.2 Computing Multipliers in a Dynamic Environment

The second pitfall concerns the definition of a multiplier in a dynamic setting. The original Blanchard and Perotti (2002) paper defined the multiplier as the ratio of the peak of the output response to the initial government spending shock. Numerous papers have used this same definition, or variations, such as the average of the output response to the initial government shock (e.g. Auerbach and Gorodnichenko (2012), Auerbach and Gorodnichenko (2013)). As argued by Mountford and Uhlig (2009), Uhlig (2010) and Fisher and Peters (2010), multipliers should instead be calculated as the integral of the output response divided by the integral
government spending response. The integral multipliers address the relevant policy question because they measure the cumulative GDP gain relative to the cumulative government spending during a given period. As we will discuss later, the Blanchard-Perotti method of reporting multipliers tends to produce higher estimates of multipliers relative to the cumulative method.

In fact, the cumulative multiplier is very easy to estimate in one step as an instrumental variable estimation. In particular, one can estimate the following equation in the linear case:

\[
\sum_{j=0}^{h} y_{t+j} = \gamma_h + \phi_h(L)z_{t-1} + m_h \sum_{j=0}^{h} g_{t+j} + \omega_{t+h}, \text{ for } h = 0, 1, 2, ...
\]

(3)

using shock, as an instrument for \(\sum_{j=0}^{h} g_{t+j}\). Here, \(\sum_{j=0}^{h} y_{t+j}\) is the sum of the GDP variable from \(t\) to \(t+h\) and \(\sum_{j=0}^{h} g_{t+j}\) is the sum of the government spending variable from \(t\) to \(t+h\). This one-step estimate of the cumulative multiplier at horizon \(h\), \(m_h\), is identical to the result from the following three-step method: (1) estimate Equation 1 for GDP for each horizon up to \(h\) and sum the \(\beta_h\); (2) estimate Equation 1 for government spending for each horizon up to \(h\) and sum those \(\beta_h\); (3) compute the multiplier as the answer to (1) divided by the answer to (2).

This one-step IV method has multiple advantages. First, the standard error of the multiplier is estimated directly. Second, both the shock and the government spending variable can have measurement error as long as their measurement errors are uncorrelated. Third, formulating the estimation as an IV problem highlights the importance of instrument relevance. Fourth, one can also use more than one instrument per endogenous variable if ad-

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12. Mountford and Uhlig (2009) and Uhlig (2010) calculate a present value multiplier, using the long-run average interest rate to discount. We used the simple cumulative multiplier because of its close relationship to the areas under the impulse response functions; however, our robustness tests indicate that the present value and simple cumulative multipliers are very similar, and are shown in the online supplemental appendix.

13. If one prefers to calculate present value cumulative multipliers, one can redefine the summation variables as discounted sums.

14. The results are identical only if all of the regressions are estimated on the same sample; that is, the regressions for horizons 0, 1, ... must also drop the \(h\) last observations.
ditional instruments are available. This can be useful since the leading government spending shocks tend to be relevant at different horizons. In subsequent sections, we show multipliers that are estimated using military news shocks and Blanchard-Perotti shocks separately, as well as in combination.

The one-step equation for the state-dependent case is given by:

\[
\sum_{j=0}^{h} g_{t+j} = \begin{cases} 
I_{t-1} & \gamma_{A,h} + \phi_{A,h}(L)z_{t-1} + m_{A,h} \sum_{j=0}^{h} g_{t+j} \\
(1 - I_{t-1}) & \gamma_{B,h} + \phi_{B,h}(L)z_{t-1} + m_{B,h} \sum_{j=0}^{h} g_{t+j} + \omega_{t+h}.
\end{cases}
\]

(4) 

using \(I_{t-1} \times shock_t\) and \((1 - I_{t-1}) \times shock_t\) as the instruments for the respective interaction of cumulative government spending with the two state indicators. Again, this produces state-dependent multipliers, \(m_{A,h}\) and \(m_{B,h}\), that are identical to those estimated and calculated using the three-step method, as long as the sample is held constant. Moreover, one can use additional instruments if they are available.

4 Multipliers During Times of Slack

The original Keynesian notion that government spending is a more powerful stimulus during times of high unemployment and low resource utilization permeates undergraduate textbooks and policy debates. Other than the zero lower bound papers, which make a distinct argument that we will discuss below, there is only a limited literature analyzing rigorous models that produces fiscal multipliers that are higher during times of high unemployment. Michaillat (2014) is one of the few examples, but his model applies only to government spending on
public employment.\textsuperscript{15} Thus, there is still a gap between Keynes’ original notion and modern
theories.

In this section, we analyze the issue empirically. Section 4.1 discusses our measure
of slack and shows graphs of the data and periods of slack. Section 4.2 presents statistics
showing the relevance of the military news shock, the Blanchard-Perotti shock, and their
combination at various horizons. Section 4.3 presents the main results. Section 4.4 conducts
robustness checks.

4.1 Measurement of Slack States

There are various potential measures of slack, such as output gaps, the unemployment rate,
or capacity utilization. Based on data availability and the fact that it is generally accepted
as a key measure of underutilized resources, we use the unemployment rate as our baseline
indicator of slack. We define an economy to be in a slack state when the unemployment rate
is above some threshold. For our baseline results, we follow Owyang et al. (2013) and use
6.5 as the threshold.\textsuperscript{16} We also conduct various robustness checks using different thresholds.

Note that our use of the unemployment rate to define the state is different from using
NBER recessions or Auerbach and Gorodnichenko’s (2012) moving average of GDP growth.
The latter two measures, which are highly correlated, indicate periods in which the economy
is moving from its peak to its trough. A typical recession encompasses periods in which
unemployment is rising from its low point to its high point, and hence is not an indicator of
a state of slack. Only half of the quarters that are official recessions are also periods of high
unemployment.

\textsuperscript{15} Numerous papers explore theoretically the possibility of state-dependent multipliers that depend on
alternative states, such as the debt-to-GDP ratio, the condition of the financial system, degree of openness and
exchange rate regimes. For example, see Corsetti et al. (2012) for a brief survey of this literature, as well as
Canzoneri et al. (2016) and Sims and Wolff (2013).

\textsuperscript{16} They chose that threshold based on the U.S. Federal Reserve’s use of that threshold in its policy an-
nouncements at the time. Barro and Redlick (2011) used 5.57 as the threshold, based on the median unemploy-
ment rate from 1914 through 2006.
Figure 3 shows the unemployment rate, the military spending news shocks, and the estimated Blanchard-Perotti (BP) shocks. The largest military spending news shocks are distributed across periods with a variety of unemployment rates. For example, the largest news shocks about WWI and the Korean War occurred when the unemployment rate was below the threshold. In contrast, the initial large news shocks about WWII occurred when the unemployment rate was still very high. The BP shocks tend to have large swings around wars. However, they also have substantial volatility at other times. Some of this volatility in the historical periods may be due to measurement error in the constructed government spending series, though.

4.2 Instrument Relevance Across States of Slack

As discussed in the last section, multiplier estimates are the outcome of instrumental variables regressions. Because the military news variable is based on changes in defense spending due to political events, it should be exogenous to the economy. The question remains, however, whether it is a relevant instrument. The standard rule-of-thumb is that an F-statistic below 10 indicates a potential problem with instrument relevance (Staiger and Stock (1997)). However, Olea and Pflueger (2013) show that the threshold can be different, and sometimes higher, when the errors are serially correlated. Since there is inherent serial correlation based on using the Jordà method, we use the Olea and Pflueger (2013) effective F-statistics and thresholds.\footnote{Even at horizon 0, we detected some serial correlation. Thus, we used automatic bandwidth selection at all horizons.}

Figure 4 shows the difference between the first-stage effective F-statistics and the Olea and Pflueger (2013) thresholds.\footnote{We use the threshold for the 5 percent critical value for testing the null hypothesis that the TSLS bias exceeds 10 percent of the OLS bias. For one instrument, this threshold is always 23.1. The threshold is 19.7 percent for the ten percent critical value. The effective F-statistics and thresholds were calculated using Pflueger and Wang (2015) Stata command “weakivtest.”} A value above 0 means that the effective F-statistic exceeds
the threshold. The F-statistics are from the regression of the sum of real government spending from $t$ to $t + h$ on the shock(s) at $t$. The regression also includes all the other controls from the second stage, which include lagged GDP, government spending and the news variable in the case of military news shock. For the Blanchard-Perotti shock specification, current and lagged military news are not included. The figure shows these for the full historical sample, the historical sample excluding World War II, and the post-WWII sample, and splits each of these according to whether the unemployment rate is above 6.5 percent. When we exclude WWII, we exclude observations when either the dependent variable, the shock or the lagged control variables occurs in the period 1941q3 through 1945q4. Rationing did not start until 1942q1, but Gordon and Krenn (2010) have argued that various other capacity constraints occurred starting the second half of 1941. The results are shown for military news as the instrument (solid line), for the Blanchard-Perotti shock as the instrument (dashed line), and for both shocks as instruments.

Several features are evident from Figure 4. First, military news has potential relevance problems at very short horizons whereas the Blanchard-Perotti shock has high relevance at very short horizons. These results should be expected because the entire point of Ramey (2011) is that the news about government spending occurs at least several quarters before the government spending actually rises. In contrast, the Blanchard-Perotti shock is identified as the part of current government spending not explained by the other lagged variables control variables. Second, moving beyond the first year or two, the military news shock effective F-statistic often rises above the threshold, whereas the Blanchard-Perotti shock one often falls below the threshold.

Since the Blanchard-Perotti shock tends to do well at short horizons and the military news at longer horizons, it is natural to consider using both shocks as instruments. The line with stars in Figure 4 shows that when both shocks are used as instruments, the effective F-statistics are above the threshold for more samples and horizons.
Note that none of the instrument alternatives has statistics above the threshold during slack states in the post-WWII period for horizons beyond the two-year horizon. These results support our initial conjecture that the post-WWII sample is not sufficiently rich to be able to distinguish multipliers across states very precisely.

Using both shocks as instruments may come at a cost of exogeneity, though, since even conditioning on lagged military news, the Blanchard-Perotti shock may be anticipated. Furthermore, the likely measurement error in the historical government spending series will be highly correlated with the Blanchard-Perotti shock, since the shock is equal to the forecast error of government spending. As we shall see, the multiplier estimates that use the Blanchard-Perotti shock are noticeably lower than those estimated using the military news shock, consistent with attenuation bias from measurement error.

Because of possible problems with instrument relevance for some samples and some horizons, we will also conduct some key hypothesis tests using Anderson and Rubin (1949) statistics, which are robust to weak instruments. These tests have lower power, though.

4.3 Baseline Results for Slack States

We now present the main results of our analysis using the full historical sample and the local projections method. Figure 5 shows the impulse response functions. We first consider results from the linear model, which assumes that multipliers are invariant to the state of the economy. The second column of Figure 5 shows the responses of government spending and output to a military news shock in the linear model. The bands are 95 percent confidence bands and are based on Newey-West standard errors that account for serial correlation. After a shock to news, output and government spending begin to rise and then peak at around 12 quarters.

We compute cumulative multipliers for a two-year and four-year horizon, using $m_h$ from Equation 3. As indicated in the first column of the top panel of Table 1, the implied multi-
pliers are around 0.7.

The main question addressed in this paper is whether the multipliers are state-dependent, and in particular, whether they are high during periods of slack. The impulse response functions in the state-dependent case are derived from the estimated $\beta_{A,h}$ and $\beta_{B,h}$ for $Y$ and $G$ in Equation 2. The last column of Figure 5 shows the responses when we estimate the state-dependent model where we distinguish between periods with and without slack in the economy. Similar to many pre-existing studies (e.g. Auerbach and Gorodnichenko (2012)), we find that output responds more robustly during high unemployment states. However, government spending also has a stronger response during those high slack periods. Consequently, the larger output response during the high unemployment state does not imply a larger government spending multiplier. In fact, as shown in the second and third columns of Table 1, the implied 2 and 4 year multipliers are very similar across the two states, both around 0.6 or 0.7. The final column shows the p-values for the test that the multiplier estimates differ across states. The first p-value reported is based on heteroscedastic- and autocorrelation-consistent (HAC) standard errors and is only valid for strong instruments; the second is based on the Anderson and Rubin (1949) (AR) test and is robust to weak instruments. However, it has lower power, so we prefer the HAC-based test for the sample-horizon combinations when the instruments are strong. There is no evidence of differences in multipliers, either quantitatively or statistically.

Figure 6 shows the cumulative multipliers for each horizon from impact to 5 years out. The top graph shows the linear model multipliers and the bottom graph shows the state-dependent multipliers. In the linear case, the cumulative multiplier in the first year is above one but then falls. The reason for the higher initial multipliers after a news shock is given

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19. We constructed the AR test conditional on the assumption that there was no instrument relevance problem for the linear term in government spending and then tested the state-dependent term.

20. We only estimate multipliers out five years because the Jordà method is less reliable at long horizons. Thus, we may be neglecting the negative effects due to the eventual increase in distortionary tax, as highlighted by Drautzburg and Uhlig (2015).
by Ramey (2011): output responds immediately to news about future government spending increases. Since output rises more quickly than government spending, the calculated multiplier looks large. The bottom graph shows that whatever the values, the multipliers in the high unemployment state are below or equal to those in the low unemployment state.

The second panel of Table 1 shows alternative results using the Blanchard-Perotti (BP) shock as the instrument. Estimated multipliers are lower in this case, 0.4 to 0.5 in the linear case. Considering state dependence, multipliers are estimated to be higher in the high unemployment state and even the AR test suggests some differences. However, the estimates imply that multipliers differ across the states not because they are so elevated in high unemployment states but because they are so low in low unemployment states. In all cases, they are below unity.

There were two reasons why the BP shocks would be expected to yield lower estimates of multipliers. First, as Ramey (2009) shows in DSGE Monte Carlo experiments, if the shocks are anticipated, then the impulse responses will not capture the anticipatory rise in GDP. This results in smaller multipliers. Second, as discussed in Section 2.2, there is likely significant measurement error in the government spending series. Since the BP shock is defined as the part of government spending not explained by lagged GDP and government spending, it will inherit much of the measurement error. Thus, the measurement error in the instrument will be correlated with the measurement error in government spending, so we should expect attenuation bias in the multiplier estimate.

The third panel of Table 1 shows the estimated multipliers using both military news and the BP shock as instruments. Recall that the combination of instruments had effective F-statistics above the thresholds for all horizons when the full sample was used. The estimates here are closer to those obtained using the BP shock alone, with most multipliers lower than

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21. In these regressions, lagged news variables are excluded from the controls. The impulse response functions are available in the online appendix. These IRFs also show both government spending and output responding more during high unemployment rate states. In contrast to the military news IRFs, government spending rises as soon as the shock hits.
those estimated for military news. There is a difference in multipliers using the HAC tests (which are the preferred ones for strong instruments) at the four-year horizon. Again, though, all multipliers are well below unity.

To summarize, across all three instruments sets we find multipliers that are less than 1 in all cases (beyond the first couple of quarters). Considering state dependence, we find no evidence of sizeable multipliers in the periods of slack; the differences across states for the BP shock stem from multipliers being so low during non-slack states.

4.4 Robustness of Slack Estimates

Our baseline results are potentially sensitive to the numerous specification choices we made that were not guided by theory. Thus, in this section we explore the sensitivity of our findings to these choices.

We begin by conducting robustness checks by changing the definition of the slack state. We first allow for a time-varying threshold, where we consider deviations from trend for a Hodrick-Prescott filtered unemployment rate. This definition of threshold results in about 50 percent of the observations being above the threshold. As shown in Figure 7, this threshold also suggests prolonged periods of slack both in the late 1890s and during the 1930s. There is substantial evidence that the "natural rate" of unemployment displayed an inverted U-shape in the post-WWII period, and this time-varying threshold also helps account for this. Using this time-varying threshold, we find results in line with our baseline findings: multipliers less than one for the state-dependent case, no significant difference between the multipliers when military news is used as the instrument, but some evidence of a difference in the

\[ \lambda = 1,000,000 \]

We use a very high smoothing parameter of \( \lambda = 1,000,000 \), but even with this the Great Depression and World War II have a big influence. Thus, we fit the HP filter over a split sample, 1889 - 1929 and 1947 - 2015 and linearly interpolate the small gap in trend unemployment between 1929 and 1947.
when the BP shock is used (see the first panel of Table 2a).

Second, we analyze the effect of raising the unemployment rate cut-off for the threshold, to allow for the possibility of state-dependence only for a higher degree of slack in the economy. The second panel in Table 2a shows that when we choose the threshold for the unemployment rate to be higher than 8 percent, the slack state multiplier rises slightly to 0.8 for military news and to 0.7 for BP. Otherwise, the results are similar to the baseline.

We also consider NBER recession periods and smooth transition threshold based on 7-quarter moving average of output growth, as in Auerbach and Gorodnichenko (2012).\textsuperscript{24} Results in the bottom panel of Table 2a show that in both cases we still get multipliers less than one across both recession and expansion regimes, and do not find any evidence of higher multipliers in recessions versus expansions. In fact, for Blanchard-Perotti shocks, the multipliers are statistically significantly higher in expansions than in NBER recessions.

In order to account for the role of financing, we control for taxes by adding lags of the average tax rate, given by tax revenues as a ratio of GDP, to our specification. The top panel of Table 2b shows that our baseline results for both type of shocks are robust to the inclusion of taxes. We have also conducted further analysis considering the role of financing, which is detailed in the online appendix. This analysis shows that the behavior of deficit and taxes do not seem to explain why multipliers are not higher during times of slack.

We next consider different samples. As discussed in the earlier case study, rationing was a confounding influence during part of WWII. In order to determine whether our results are sensitive to the constraints or the rationing, we exclude WWII from our sample.\textsuperscript{25} Recall from Section 4.2, though, that all instrument sets appear to be weak for the high unemployment rate state for horizons beyond two years if this period is excluded. The third panel of Table 2b shows that multipliers rise to around 1, and are even 1.6 in the case of BP at

\textsuperscript{24} We use the same definition as in Auerbach and Gorodnichenko (2012) and the online appendix shows this smooth transition function for our historical sample.

\textsuperscript{25} See Section 4.2 for details on how we exclude WWII from our sample.
the 4 year horizon. However, the confidence bands are so large that there is no statistically significant difference (even at the 10 percent level) between multipliers across the two states.

The pre-existing literature on state-dependence of multipliers typically employs a shorter data sample that spans the post World War II period. As a robustness check we limit our sample to this period, 1947-2015, and the results are shown in the bottom panel of Table 2b. The multipliers in the linear case are similar to those in the full historical sample. In the state dependent case the multipliers are estimated to be negative in the high unemployment rate states, both for the military news shock and the BP shock. In both cases, the impulse response of GDP is negative at most horizons, but even the HAC-based standard error bands are very wide (not shown). However, recall that neither instrument was strong for the high unemployment rate state in the post-WWII sample. Thus, the state-dependent estimates are not reliable.

We also conducted a number of other robustness checks, such as using data based on linear interpolation and including additional controls. The results are available in the online appendix.

5 Multipliers at the Zero Lower Bound

We now investigate whether government spending multipliers differ when government interest rates are near the zero lower bound or are being held constant to accommodate fiscal

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26. Exclusion of WWII and the use of military news shocks is the one instance where the slight changes in sample make a difference in the multipliers calculated by summing impulse response functions versus estimating things using the one-step method. The results shown are based on summing the impulse response functions.

27. The confidence bands are not shown here. The BP multiplier estimate at the four-year horizon of 1.6 during recessions has a HAC standard error above 1.9, so the estimate is not even significantly different from zero.

policy. Some New Keynesian models suggest that government spending multipliers will be substantially higher (e.g. above 2) when the economy is at the zero lower bound.\textsuperscript{29} This view has been challenged by a series of new papers, some of which construct models in which multipliers are lower at the zero lower bound.\textsuperscript{30} Thus, the literature now provides a number of plausible theories that predict both higher and lower multipliers at the zero lower bound. For this reason, it is useful to provide empirical evidence on this issue.

Very few papers have attempted to test the predictions of the theory empirically in aggregate data. Ramey (2011) estimates her model for the U.S. over the sub-sample from 1939 through 1951 and shows that the multiplier is no higher during that sample. Crafts and Mills (2013) construct defense news shocks for the U.K. and estimate multipliers on quarterly data from 1922 through 1938. They find multipliers below unity even when interest rates were near zero.\textsuperscript{31}

### 5.1 Defining States by Monetary Policy

The bottom panel of Figure 8 shows the behavior of three-month Treasury Bill rates from 1920 through the present, where the shortened sample is based on data availability, as well as the discount rate for the period starting in 1914 until 1919 (dotted line) at the founding of the Fed. The Treasury bill interest rate was near zero during much of the 1930s and 1940s, as well as starting again in the fourth quarter of 2008. To indicate the degree to which interest rates were pegged (either by design or the zero lower bound), we compare the behavior of actual interest rates to that prescribed by the Taylor rule. We use the standard Taylor rule

\textsuperscript{29} See, for example, Eggertsson (2011) and Christiano et al. (2011). The relationship between government spending multipliers and the degree of monetary accommodation, even outside zero lower bound has been explored by many others, including Davig and Leeper (2011) and Zubairy (2014).

\textsuperscript{30} See, for example, Mertens and Ravn (2014), Aruoba and Schorfheide (2013), Braun et al. (2013) and Kiley (2014).

\textsuperscript{31} Bruckner and Tuladhar (2014) focus on local not aggregate multipliers for Japan, and find that the effects of local spending are larger in the ZLB period, but only modestly. A recent paper by Miyamoto et al. (2016) extends our analysis to Japan and finds some evidence of higher multipliers at the ZLB.
formulation:

(5) \[ \text{nominal interest rate} = 1 + 1.5 \times \text{year-over-year inflation rate} + 0.5 \times \text{output gap} \]

Figure 9 shows the behavior of inflation and the output gap, which were quite volatile during the early period. The last panel of Figure 9 compares the behavior of actual interest rates to the Taylor rule. This graph makes clear that there were large deviations of interest rates from those prescribed by the Taylor rule briefly at the start of the sample in 1914 into early 1920s and in a sustained way during most of the 1930s and 1940s.

In many theoretical models, it is not the zero lower bound per se, but rather the fact that nominal interest rates stay constant rather than following the Taylor rule that amplifies the stimulative effects of government spending. Thus, to assess whether multipliers are greater in these situations we can include periods in which the nominal interest rate is relatively constant despite dramatic fluctuations in government spending.

For our baseline, we define ZLB or extended monetary accommodation times to be 1932q2 - 1951q1 and 2008q4 - 2015q4 (the end of our sample). We do not classify the early part of the sample as a ZLB episode, since the U.S. was under the gold standard then with the purpose of ensuring price stability. The U.S. maintained the gold standard only in a limited sense starting in 1914, at the onset of World War I, but did not completely suspend it (see Crabbe (1989)). Thus, any actual inflation would have to be offset by future deflation and we would not expect high multipliers based on the expectations channel, as long as people in the economy expected to go back on the gold standard with the end of the war.

Also, while the deviation from the Taylor rule widens starting in 1930, we do not include the early 1930s in our ZLB state. This is because the T-bill rate was fluctuating during this period, potentially responding to the state of the economy, and was as high as 2.5 percent.

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32. The output gap for the earlier period is constructed similarly to Gordon and Krenn (2010). See the data appendix for details.
in 1932q1 before falling to 0.5 percent in 1932q2 and staying low from then onwards. We will call these periods "ZLB states" for short, recognizing that they also include periods of monetary accommodation of fiscal policy. We end the early spell in 1951q1 because the Treasury Accord, which gave the Fed more autonomy, was signed in March 1951.

The top panel of Figure 8 shows the behavior of the military news series and the Blanchard-Perotti shock over the states defined this way. The main shocks to military spending news during these states occur after the start of WWII and at the start of the Korean War (in June 1950). There is essentially no information gained from military news during the 1930s.33 There are sizeable Blanchard-Perotti shocks during that period, though.

5.2 Instrument Relevance for ZLB Periods

Figure 10 shows the difference between the effective F-statistics and the thresholds for the periods split into ZLB periods and normal periods, and for the defense news shock, Blanchard-Perotti (BP) shock, and the combined instruments.34 For the ZLB periods for the full sample, military news just reaches the threshold from horizon 4 through around 8, whereas the BP shock instrument and the combined instruments have strong relevance through horizon 15. If WWII rationing periods are excluded, the BP shock instrument loses relevance after just a few horizons, but the military news and the combined instruments have higher effective F-statistics for most horizons for both states. Thus, unlike the case for slack, military news, as well as both instruments combined, appear to be strong instruments in the ZLB even when WWII rationing is omitted. We suspect that the reason that the F-statistics actually rise relative to the full sample is that the observations omitted may have represented cases in which

33. An advantage of the Crafts and Mills (2013) analysis of UK data is that it has more military news shocks during the 1930s.
34. See the earlier discussion on instrument relevance in Section 4.2 for details about the tests and thresholds. That section also discusses the potential problems with using the BP shock.
the military news did not predict the actual path of government spending well.\textsuperscript{35}

It is important to note that these effective F-statistic results depend heavily on our standard procedure of allowing the sample to change as the horizon advances. To be specific, for the full sample with the WWII rationing periods excluded, as we go from horizon $h$ to $h + 1$, we drop two observations, one in the late 1930s or early 1940s and another near the end of the sample in the 2010s. Dropping the extra observation in the 2010s makes no difference, but sometimes dropping an observation in the late 1930s or early 1940s does make a difference because it means dropping a large military news shock. We considered fixing the sample at the maximum horizon of 20 quarters, but that involves throwing away all observations for the 10-year period from 1936q3 through 1946q4. Not surprisingly, the F-statistics for military news and the combined instruments are far below the threshold at virtually all horizons if we discard the information during the entire 10-year period (not shown).

### 5.3 Results for ZLB States

To determine whether multipliers are different in ZLB states, we estimate our baseline state-dependent model, but now allowing the state to be defined by monetary policy rather than slack. We consider our full sample spanning 1889-2015. Figure 11 shows the impulse responses. The results suggest that government spending responds more slowly, but more persistently during ZLB states than in normal states.\textsuperscript{36} The difference in GDP responses follow this pattern, but in a muted way.

Table 3 shows the cumulative multipliers in each state for the different horizons of two and four years, respectively. Using military news, we see little difference in multipliers in

\textsuperscript{35} For example, the D-Day invasion in June 1944 led the public to believe the war in Europe would be over in just a couple of months, which turned out to be wrong.

\textsuperscript{36} This result stems from the particular historical sample and is not necessarily a general result. In particular, the two large wars that resulted in persistent increases in government spending - WWII and the Korean War - occurred during the ZLB period. WWI, which involved less persistent increases in government spending, occurred in the non-ZLB, or normal, period.
the ZLB state. Figure 12 shows the cumulative multiplier for the ZLB and normal state at various different horizons along with 95% confidence bands. The multiplier for both states is high on impact when the news shock hits the economy (since the shock is news about future government spending) and is less than one after one year, but the multipliers across the two states are never significantly different. For the BP shock and the combined shocks, the multipliers are estimated to be 0.64 to 0.76 in the ZLB state, but only 0.1 to 0.26 in the normal (non-ZLB) state. (See the middle and third panels of Table 3.) There is also statistical evidence of differences in multipliers, as evidenced by the p-values; we reference the HAC-based tests since the instruments appear to be strong. However, this difference is due not to elevated multipliers in the ZLB but to multipliers estimated to be near 0 in the normal states.

Table 4 shows various robustness checks. These robustness checks include redefining the ZLB state periods to be where the T-bill rate was less than or equal to 50 basis points, and including taxes and inflation as additional controls. The results show that our baseline estimates are robust to these modifications. (See the online appendix for some additional robustness checks)

We then explore the effect of excluding the capacity constraint and rationing periods of WWII, excluding observations from the estimation if either the shock, the dependent variable, or the lagged controls occurred in any quarter from 1941q3 through 1945q4. Table 5 shows the estimates.\(^{37}\) For the first time, we see evidence of multipliers above unity in a "bad" state, in this case the ZLB state. Using military news as an instrument, the multiplier is estimated to be 1.4 at two years and close to 1 at four years in the ZLB state. The BP instrument also produces higher multiplier estimates in the ZLB state, though they have very large standard errors. The multiplier estimates based on using both instruments, shown in

\(^{37}\) As in the case of slack, the excluded WWII sample along with the newsy shock leads to some differences across the 3-step and 1-step methods because of some influential observations in the changing sample. The differences are smaller for the ZLB analysis, with the greatest differences being 0.2. We report the 1-step estimates because it allows us also to use the combined instruments.
the lower panel of Table 5, imply a multiplier of 1.6 at the two-year horizon and 1.1 at the four-year horizon. We can reject equality of the multipliers across states using the HAC-based test, but not the AR test. Since the F-statistics are above the threshold, we prefer the HAC-based test since it has better power. \(^{38}\)

In sum, when we consider the sample that excludes the rationing in WWII, we find multipliers above unity at some horizons when we use the military news shock. That shock used alone produces a multiplier estimate of 1.4, with a HAC standard error of 0.15, which is statistically different from the one for normal times, estimated to be 0.6. Thus, in this restricted sample we find both a multiplier above unity during ZLB periods and a difference with normal periods. The online appendix shows that the multiplier estimates are above unity at the two-year horizon for the military news shock also when we control for taxes and inflation. The estimate during ZLB periods is 1.7, but it is estimated less precisely.

6 A Comparison of Methodologies and Estimates

In Section 4.3 we found no evidence of elevated multipliers during slack states. This result is consistent with Barro and Redlick (2011), who also find no differences in contemporaneous multipliers across states of slack. This finding stands in contrast, however, to the leading study of state dependence for the U.S. by Auerbach and Gorodnichenko (2012) (AG-12) who report multipliers as high as 2.5 for their definition of the recession state.

In this section, we show that the difference in results with AG-12 is largely driven by the simplifying assumptions about state transitions that AG-12 use to convert their smooth transition VAR (STVAR) estimates into impulse responses. We first explain the implicit assumptions embedded in the Jordà method and compare them to the assumptions used by AG-

\(^{38}\) We also tested the over-identifying restrictions when we use the two instruments together. As discussed in a previous section, the over-identifying restrictions are rejected for the linear case. We cannot, however, reject them for the ZLB and normal states; the p-values for the ZLB states range from 0.2 to 0.8, depending on the horizon, and for the normal states range from 0.14 to 0.27.
12. We next show that making their assumptions more consistent with their data-generating process significantly reduces their recession-state multiplier estimates. Finally we apply a threshold VAR (TVAR) method to our historical data in a way that is more consistent with the data generating process and show that the estimates are very similar to those we obtained using the Jordà method.

6.1 Methodological Differences with Auerbach-Gorodnichenko (2012)

The key ingredients for estimating multipliers in a dynamic environment are the impulse responses of output and government spending. Constructing impulse responses in nonlinear VAR models is far from straightforward since many complexities arise when one moves from linear to nonlinear systems (e.g. Koop et al. (1996)). In a linear model, the impulse responses are invariant to history, proportional to the size of the shock, and symmetric in positive and negative shocks. In a nonlinear model, the response can depend differentially on the magnitude and sign of the shock, as well as on the history of previous shocks. If one estimates the parameters of a nonlinear model and then iterates on those parameters to construct impulse responses, assumptions on how the economy transitions from state-to-state, as well as how the shocks affect the state, are key components of the constructed responses.

As discussed in Section 3.1, the Jordà method is similar to a direct forecasting method. The impulse response estimate for GDP at $t + h$ is a forecast of how GDP will differ at $t + h$ if $\text{shock}_t = 1$ rather than $\text{shock}_t = 0$. This means that if the average shock is likely to change the state, it will be reflected in the impulse response estimate. On the other hand, natural transitions between states that are independent of the shock should be captured by the state-dependent control variables; i.e., the coefficients on the state-dependent (and horizon-specific) constant terms and lagged variables will embed information on the average behavior of the economy to transition to the other state at future horizons.
In contrast, Auerbach and Gorodnichenko (2012) estimate a regime-switching VAR model, which switches between one set of reduced-form VAR parameters for recessions and another set for expansions.\(^{39}\) The difficulty comes in generating impulse responses from those parameters because one must make assumptions about when the parameter sets should switch from one state to the other. AG-12 calculate their baseline impulse responses under the assumption that the economy stays in its current state for at least the 20 quarters over which they compute their multiplier. This may be a reasonable approximation for expansions, which last for several years, but it is not a good approximation for recession states, which have a mean duration of only 3.3 quarters, according to their moving average of growth rates definition.\(^{40}\) In fact, Hamilton (1989) has argued that GDP is well-described by a regime switching model with a short-duration low growth regime ("recession") and a longer-duration high growth regime ("expansion"). AG-12 estimate the 5-year multipliers in recessions to be 2.24, but this high recession multiplier is not due to differences in impact effects on output, for those are estimated to be equal across states (around 0.5). Rather, their high multiplier stems from their constructed impulse response for the subsequent path of GDP after a shock hits in a recession state. As the bottom left graph of Figure 2 of their paper (also reproduced in our online appendix) shows, their constructed impulse response for GDP keeps rising indefinitely after a spending shock hits during a recession, even though government spending does not continue to rise. A regime-switching model for GDP provides a ready explanation for their unusual response of output: on average, recessions do not last long, so during a recession one should forecast output growth in the next few years to be higher than current output growth. Because their method assumes that the economy continues in recession indefinitely, it looks like future growth will always be higher than current growth. With their method, the

\(^{39}\) They assume that the transitions across states are smooth, and the indicator function of the state of the economy varies between a maximum of one (extreme recession) and zero (extreme expansion).

\(^{40}\) Even the Great Recession, which was not part of their estimation sample, lasted only nine quarters by their definition. And the nine-quarter duration is an overestimate, since AG-12 use only extreme recessions in their calculations.
multiplier grows as the horizon grows since output keeps rising but government spending does not.

To show how the methodology changes the multiplier estimate, we first use the Jordà method on AG-12’s exact data, sample and identification scheme. When we do so, we estimate a 5-year cumulative multiplier of 0.84. Thus, the Jordà method does not produce elevated multipliers during recessions on the AG-12 sample and specification. In the online appendix, we show that the difference between the two methods is largely due to AG-12’s baseline assumption that the recession-state VAR parameters should apply for a 20 quarter period. We use AG-12’s STVAR parameter estimates to construct alternative impulse responses that allow the state to change endogenously, both with respect to the history of the non-government spending shocks and to the government spending shocks. We find multipliers in severe recessions that are around unity. Thus, their high estimated multiplier in recessions disappears when we allow more data-consistent transitions from state to state.

6.2 Threshold VAR Estimation on the Historical Data

The threshold VAR method is not intrinsically problematic because one can vary the assumptions when translating the reduced form TVAR estimates to impulse response functions. Also, alternative definitions of states or alternative samples may be consistent with the assumption of non-changing states through reasonable horizons. For example, ZLB states tend

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41. We find, however, that these results are not robust since almost any deviation from their exact specification results in negative multipliers during recessions. For example, if we omit the four lags of the moving average of GDP growth, use a backward-moving average of growth for the state, or use 4 instead of 3 lags of the endogenous variables, the results change significantly. Alloza (2014) conducts a much more systematic analysis of the importance of the two-sided moving average filter and shows that the results are not robust in the STVAR either.

42. In later work, Auerbach and Gorodnichenko (2013) use the Jordà method on OECD data. Our online appendix explains that it is likely that the manner in which they converted IRFs to multipliers raised their multiplier estimates substantially.

43. Threshold VARs with various methodologies to construct state dependent impulse response functions and fiscal multipliers have been employed by Baum et al. (2012), Batini et al. (2012) and Fazzari et al. (2015). We explore the source of difference between our results and those of Fazzari et al. (2015) in the online appendix.
to last many years, so holding the state constant is not contrary to the data.

In this section, we apply the TVAR methodology along with AG-12’s baseline assumptions about the duration of states to the ZLB case. We find estimates that are exceedingly close to those we obtained using the Jordà method. We also explore the effect of applying their method to recession states and also find results similar to those we obtain using the Jordà method.

In particular, we consider the following reduced form threshold-VAR,

\[ Y_t = I_{t-1} \Psi_A(L)Y_{t-1} + (1 - I_{t-1})\Psi_B(L)Y_{t-1} + u_t \]

where, as before, \( I \) is a dummy variable that indicates the state of the economy when the shock hits and \( u_t \sim N(0, \Omega) \). We also assume that \( \Omega = I_{t-1}\Omega_A + (1 - I_{t-1})\Omega_B \), and \( \Psi(L) \) is a polynomial of order 4. In order to identify a military news shock we set \( Y_t = [\text{news}t, g_t, y_t] \) and in order to identify a Blanchard and Perotti shock, we set \( Y_t = [g_t, y_t] \), before doing a Cholesky decomposition. Here \( y_t \) and \( g_t \) are Gordon-Krenn transformations of output and government spending, respectively.

First, we define the state based on whether the interest rates are subject to ZLB. In our full sample, we have classified two episodes as ZLB or extended monetary accommodation times, and both have a long duration. In fact, average duration of a ZLB period is about 52 quarters. Thus, in this case the assumption that the state lasts several years is data consistent even if we compute 5 year multipliers, since an average news or spending shock is not likely to cause the economy to leave its current state.

Table 6 shows the state dependent multipliers for the ZLB state for both the Jordà method and the threshold VAR, assuming that the economy does not exit from its current state. The two methodologies give surprisingly similar results, for both the military news and Blanchard and Perotti identification, with multipliers between 0.6 and 0.8 in the ZLB state for the
Thus, when the TVAR method and AG-12’s assumptions about constant states are applied to samples and horizons over which those assumptions are more consistent, the results look very much like those from the Jordà method. Examination of the impulse responses constructed from the TVAR (shown in the online appendix) reveals that the response of output during the ZLB state has the more usual hump shape, in contrast to AG-12’s ever-increasing path of output.

Although slack periods do not last as long as ZLB periods, even in the historical sample, it is still interesting to compare the estimates from the TVAR to those from the Jordà method in that sample. We initially estimated the TVAR for our baseline definition of slack states, but the roots were explosive. Thus, we explored the alternative of defining the state to be official NBER recessions. The longest recession in the post-WWII sample lasted 6 quarters, but in the historical sample there were four recessions that lasted 8 quarters or more. Table 6 shows both the Jordà estimates and the estimates from the TVAR, assuming the economy does not switch states. For the case of the military news shock, the multipliers are remarkably similar across the two approaches. For the Blanchard-Perotti shock, the TVAR multiplier estimates imply negative multipliers in recession and multipliers close to 0.4 in expansions. Thus, the threshold-VAR approach also does not reveal any multiplier larger than 1 or provide any evidence of larger multipliers in recessions than in expansion.

Overall, the threshold-VAR approach using the constant-state assumptions yields very similar results to our baseline estimates using the Jordà approach. We find much more similarity in the two methods in our application because all ZLB states last many quarters, and in our historical sample even the recession states last longer. Moreover, our small multiplier estimates are more consistent with AG-12’s baseline assumption that the government spending shock cannot make the economy switch states. Thus, the AG-12 simplifying assumption is a better approximation to the data in our application than in theirs.

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44. Recall that the multipliers were higher when we excluded WWII rationing. We tried to estimate the TVAR on that restricted sample, but the roots were explosive.
In this paper, we have investigated whether government spending multipliers vary depending on the state of the economy. In order to maximize the amount of variation in the data, we constructed new historical quarterly data spanning more than 120 years in the U.S. We considered two possible indicators of the state of the economy: the amount of slack, as measured by the unemployment rate, and whether interest rates were being held constant close to the zero lower bound. Using a more data-consistent method for estimating state-dependent impulse responses and better ways of calculating multipliers from them, we provided numerous estimates of multipliers across different specifications.

Our results for slack states can be summarized as follows. We find no evidence of large multipliers when the U.S. economy is experiencing substantial slack as measured by the unemployment rate. All estimates indicate multipliers below unity. When we use the Blanchard-Perotti shock identification, we find differences in multipliers across states of slack, but only because the multipliers are very low in non-slack states. Our numerous robustness checks suggest that our results are not sensitive to variations in our specification.

How do we reconcile these results with the common belief that government spending during WWII lifted the economy out of the Great Depression? Our results do not dispute this notion, but instead reinterpret it. WWII government spending did help lift the economy out of the Great Depression, not because multipliers were so large, but because the amount of government spending was so great. Although multipliers may be modest in magnitude, they are positive.

In our analysis of multipliers in zero lower bound interest rate states, we also find no evidence that multipliers are greater than one at the zero lower bound in the full sample. The results are mixed, however, when we exclude World War II from the sample. Our preferred shock, the military news shock, indicates multipliers around 1.4 at the two-year horizon.
and the estimates are reasonably precise. On the other hand, the Blanchard-Perotti shock suggests multipliers just below one, but they are not precisely estimated.

We also conduct a comparison of the Jordà method to the threshold VAR method used by Auerbach and Gorodnichenko (2012). We show that Auerbach and Gorodnichenko’s (2012) results depend on a simplifying assumption that is not a good approximation for their sample. We show that their recession-state multipliers estimates are much lower once we relax that assumption. We then implement a threshold VAR on our sample and states, for which the simplifying assumption is more consistent with the data, and find results very close to those we estimated using the Jordà method.

Of course, our results come with many caveats. As discussed in the introduction, we are forced to use data determined by the vagaries of history so we do not have a controlled experiment. Because the military news shock measures only changes in defense spending, and because the Blanchard-Perotti shock mixes all types of shocks to government purchases, our results do not inform us about the size of multipliers on specific classes of government outlays, such as transfer payments or infrastructure spending. Moreover, because the episodes we studied were characterized by certain paths of taxes, the results are not immediately applicable to the case of deficit-financed stimulus packages or fiscal consolidations.
Data Appendix

GDP and GDP deflator:

1947 - 2015: Quarterly data on chain-weighted real GDP, nominal GDP, and GDP deflator from BEA NIPA (downloaded from FRED, March 25, 2016 revision).


1939 - 1946: We used seasonally adjusted quarterly nominal data on GNP from National Income, 1954 Edition, A Supplement to the Survey of Current Business and seasonally unadjusted CPI (all items, all urban consumers) from FRED.


Data adjustment: For 1939-1946, we used a simplified version of the procedure used by Valerie Ramey, "Identifying Government Spending Shocks: It’s All in the Timing", Quarterly Journal of Economics, February 2011. We used the quarterly nominal GNP series published in National Income, 1954 Edition, A Supplement to the Survey of Current Business to interpolate the modern NIPA annual nominal GDP series, and the quarterly averages of the CPI to interpolate the NIPA annual GDP price deflator using the proportional Denton method. We took the ratio to construct real GDP to use as a second round interpolator. We spliced this quarterly real GDP series to the Balke-Gordon quarterly real GNP series from 1889 - 1938 and used the combined series to interpolate the annual
real GDP series (described above) using the proportional Denton method. This method insures that all quarterly real GDP series average to the annual series. We used the Balke-Gordon deflator to interpolate the annual deflator series from 1889 - 1938 and combined it with the CPI-interpolated series from 1939-1946. Finally, we linked the earlier series to the modern quarterly NIPA series from 1947 to the present.

**Potential GDP:**

The real GDP time trend is estimated as a sixth degree polynomial for the logarithm of GDP, from 1889q1 through 2015q4 excluding 1930q1 through 1946q4. Somewhat lower degree and somewhat higher degree polynomials gave similar results for multipliers. Our method of constructing real potential GDP is similar to the method advocated by Gordon and Krenn (2010). They illustrate the problems that arise when one uses standard filters to estimate trends during samples that involve the Great Depression and World War II, and advocate instead using a piecewise exponential trend based on benchmark years. Our procedure is a smoothed version of theirs. To derive nominal potential GDP, we multiplied real potential GDP by the actual price level. To derive the output gap for the Taylor rule, we used the difference between log actual real GDP and log potential.

**Government Spending:**


1889 - 1946: NIPA annual nominal data from 1929 - 1946 (BEA Table 1.1.5, line 21) is spliced to annual data from 1889-1928, Source: Kendrick (1961) Table A-II.


m15005a U.S. Federal Budget Expenditures, Total 01/1879-09/1915  
m15005b U.S. Federal Budget Expenditures, Total 11/1914-06/1933  
m15005c U.S. Federal Budget Expenditures, Total 01/1932-12/1938

*Data adjustment:* The monthly series are spliced together (using a 12-month average at the overlap year) and seasonally adjusted in Eviews using X-12. This series includes not just government expenditures but also transfer payments, and so the monthly interpolator series is distorted by large transfer payments in different quarters. Thus, rather than using the series directly, we use it as a monthly interpolator for the annual series which excludes transfers. Following Gordon and Krenn (2010), to find these quarters, we calculated the monthly log change in the interpolator, and whenever a monthly change of +40 percent or more was followed by a monthly change of approximately the same amount with a negative sign (and also symmetrically negative followed by positive), we replaced that particular observation by the average of the preceding and succeeding months. These instances occurred for the following months: 1904:5, 1922:11, 1931:2, 1931:12, 1932:7, 1934:01, 1936:06, and 1937:06. In addition, the first quarter of 1917 was adjusted. The jump in spending was so dramatic in 1917q2 that the interpolated series showed a decline in spending in 1917q1 even though the underlying expenditure series showed an increase of 16 percent in
that quarter relative to the previous one. Thus, we replaced the value of 1917q1 with a value 16 percent higher than the previous quarter. Note that our use of the proportional Denton method creates a bumpier series than an alternative that uses the additive Denton method. However, the additive Denton method leads to series that behave very strangely around large buildups and builddowns of government spending, so we did not use it. On the other hand, the alternative series gave very similar results for the multiplier.

We seasonally adjust the monthly interpolator series, but the quarterly interpolation still had some residual seasonality. So, we applied X-12 again to the quarterly interpolated series for 1879q3-1938q4.

Military News:

The narrative underlying the series is available in Ramey (2016).

Population:

1890-2015: Annual population data, based on July of each year, were taken from Historical Statistics of the United States Millennial Edition Online, Carter et al. (2006) We used total population, including armed forces overseas for all periods where available (during WWI and 1930 and after); otherwise we used the resident population. For 1952 through the present we used the monthly series available on the Federal Reserve Bank of St. Louis FRED database, "POP."

Data adjustment: For 1890 through 1951, we linearly interpolated the annual data to obtain monthly series so that the annual value was assigned to July. We then took the averages of monthly values to obtain quarterly series. We did the same to convert the monthly FRED data from 1952 to the present.
**Federal Tax Revenues and Federal Expenditure:**

We create federal deficit series by subtracting our federal tax revenue series from our federal expenditures series (note these are total expenditures, not just government purchases).

**1947-2015:** Quarterly data on nominal "Federal Government Current receipts," BEA Table 3.2, line 1, March 25, 2016 version. Note that all NIPA BEA data is on an accrual basis. Quarterly data for 1959q3 - 2015q4 are from Table 3.2, line 42 "Total Expenditures." The period 1947q1 - 1959q2 didn’t show the total because one of the elements was missing. Since the missing element ("net purchases of nonproduced assets" line 46) is so small, we assume it was 0 and added up the other elements (lines 43 + 44 +45 - 47) to get the total.

**1879-1938:** Monthly data on federal budget receipts. Source: NBER MacroHistory Database

http://www.nber.org/databases/macrohistory/contents/chapter15.html. These data are on a cash basis.

- m15004a U.S. Federal Budget Receipts, Total 01/1879-06/1933
- m15004b U.S. Federal Budget Receipts, Total 07/1930-06/1940
- m15004c U.S. Federal Budget Receipts, Total 07/1939-12/1962

Monthly data on federal expenditures. Source: NBER MacroHistory Database

- m15005a U.S. Federal Expenditures, Total 01/1879-10/1914
- m15005b U.S. Federal Expenditures, Total 11/1914-12/1931
1939-1946: Quarterly data on nominal federal receipts from *National Income, 1954 Edition, A Supplement to the Survey of Current Business* is used to interpolate the modern annual NIPA values. We construct the quarterly federal receipts interpolator from federal personal taxes + total corporates taxes + total indirect taxes. Expenditures are same source as receipts with expenditures = federal purchases + total transfers.

1889-1928: Annual data on federal receipts and expenditures. Source: Historical Statistics - fiscal year basis (e.g. fiscal year 1890 starts July 1, 1889).

1929-1946: Annual data on nominal "Federal Government Current receipts," BEA Table 3.2, line 1, March 27, 2014 version. Annual data on nominal "Federal Expenditures," BEA Table 3.2, adding up lines 43 + 44 +45 + 46 - 47, treating missing components as 0’s since they were small once they became available, March 25, 2016 version.

Data adjustment: The monthly series are strung together (with the most recent series used for overlap periods) and seasonally adjusted in Eviews using X-12. The annual series is interpolated using the monthly data with the Denton proportional method. Same adjustment for expenditures as for receipts. Note, we seasonally adjust the monthly interpolator series, but the quarterly interpolation still had some residual seasonality. So, we applied X-12 again to the quarterly interpolated series for 1879q3-1938q4.
Unemployment rate:

http://research.stlouisfed.org/fred2/series/UNRATE

Data adjustment: Quarterly series is constructed as the average of the three months.


1890-1929: NBER-based monthly recession indicators. Source: Federal Reserve Bank of St. Louis FRED database, USREC
http://research.stlouisfed.org/fred2/series/USREC.

1930-1946: Monthly civilian unemployment rate (including emergency workers). Source: NBER MacroHistory Database
http://www.nber.org/databases/macrohistory/contents/chapter08.html
m08292a U.S. Unemployment Rate, Seasonally Adjusted 04/1929-06/1942
m08292a U.S. Unemployment Rate, Seasonally Adjusted 01/1940, 03/1940-12/1946


Data adjustment: Monthly NBER recession data are used to interpolate annual data using the Denton interpolation from 1890-1929. For 1930-1947 onwards we use the monthly unemployment rate series to interpolate annual data using the Denton proportional interpolation.
**Interest rate:**

1934-2015: Monthly 3 month Treasury bill. Source: Federal Reserve Bank of St. Louis FRED database, TB3MS

http://research.stlouisfed.org/fred2/series/TB3MS.

1920-1933: Monthly 3 month Treasury bill. Source: NBER MacroHistory Database


m13029a U.S. Yields On Short-Term United States Securities, Three-Six Month Treasury Notes and Certificates, Three Month Treasury 01/1920-03/1934

m13029b U.S. Yields On Short-Term United States Securities, Three-Six Month Treasury Notes and Certificates, Three Month Treasury 01/1931-11/1969

*Data adjustment:* Quarterly series is constructed as the average of the three months.
References


### Table 1. Estimates of Multipliers Across States of Slack

<table>
<thead>
<tr>
<th></th>
<th>Linear Model</th>
<th>High Unemployment</th>
<th>Low Unemployment</th>
<th>P-value for difference in multipliers across states</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.66</td>
<td>0.60</td>
<td>0.59</td>
<td>HAC=0.954</td>
</tr>
<tr>
<td></td>
<td>(0.067)</td>
<td>(0.095)</td>
<td>(0.091)</td>
<td>AR=0.954</td>
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<tr>
<td>4 year integral</td>
<td>0.71</td>
<td>0.68</td>
<td>0.67</td>
<td>HAC=0.924</td>
</tr>
<tr>
<td></td>
<td>(0.044)</td>
<td>(0.052)</td>
<td>(0.121)</td>
<td>AR=0.924</td>
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<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
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</tr>
<tr>
<td>2 year integral</td>
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<td>0.30</td>
<td>HAC=0.005</td>
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<td>(0.111)</td>
<td>(0.102)</td>
<td>(0.111)</td>
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<td><strong>Combined</strong></td>
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<td></td>
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<tr>
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<td>(0.098)</td>
<td>(0.110)</td>
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<td></td>
<td>(0.079)</td>
<td>(0.054)</td>
<td>(0.102)</td>
<td>AR =0.167</td>
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</tbody>
</table>

Note: The values in brackets under the multipliers give the standard errors. HAC indicates HAC-robust p-values and AR indicates weak instrument robust Anderson-Rubin p-values.
## Table 2a. Robustness check: Estimates of Multipliers Across States of Slack

<table>
<thead>
<tr>
<th></th>
<th>Linear Model</th>
<th>High Unemployment</th>
<th>Low Unemployment</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>HP filtered time-varying threshold (with ( \lambda = 10^6 ))</strong></td>
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<td><strong>Military news shock</strong></td>
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<tr>
<td>4 year integral</td>
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<td>0.75</td>
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<td><strong>Blanchard-Perotti shock</strong></td>
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<tr>
<td>2 year integral</td>
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<td>0.29*</td>
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<td>4 year integral</td>
<td>0.47</td>
<td>0.69</td>
<td>0.31‡</td>
</tr>
<tr>
<td><strong>8% unemployment rate threshold</strong></td>
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<td><strong>Blanchard-Perotti shock</strong></td>
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<td>2 year integral</td>
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<td>2 year integral</td>
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<td>0.63</td>
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<td>4 year integral</td>
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<td><strong>Blanchard-Perotti shock</strong></td>
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<td>4 year integral</td>
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<tr>
<td><strong>Moving avg. of output growth weighting function</strong></td>
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<td><strong>Military news shock</strong></td>
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<tr>
<td>2 year integral</td>
<td>0.66</td>
<td>0.57</td>
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<td>4 year integral</td>
<td>0.71</td>
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<td><strong>Blanchard-Perotti shock</strong></td>
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<tr>
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<td>0.51</td>
<td>0.39</td>
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<tr>
<td>4 year integral</td>
<td>0.47</td>
<td>0.57</td>
<td>0.52</td>
</tr>
</tbody>
</table>

Note: The symbol on the last entry in each row signifies the p-values for difference in multipliers across state, where * indicates weak instrument robust p-value, \( p_{AR} < 0.1 \) and ‡ indicates HAC-robust p-value, \( p_{HAC} < 0.1 \).
### Table 2b. Robustness check: Estimates of Multipliers Across States of Slack

<table>
<thead>
<tr>
<th></th>
<th>Linear Model</th>
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<th>Low Unemployment</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Additional control for taxes</strong></td>
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<td><strong>Military news shock</strong></td>
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<td>4 year integral</td>
<td>0.72</td>
<td>0.69</td>
<td>0.60</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.37</td>
<td>0.71</td>
<td>0.35†</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.45</td>
<td>0.80</td>
<td>0.39**</td>
</tr>
<tr>
<td><strong>Excluding WWII</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.75</td>
<td>0.72</td>
<td>0.56</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.73</td>
<td>0.89</td>
<td>0.53</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.14</td>
<td>0.98</td>
<td>0.13</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.17</td>
<td>1.61</td>
<td>0.18</td>
</tr>
<tr>
<td><strong>Subsample: 1947-2015</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.73</td>
<td>-1.33</td>
<td>0.79†</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.49</td>
<td>-2.90</td>
<td>0.49</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.31</td>
<td>-0.37</td>
<td>0.38†</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.30</td>
<td>-0.46</td>
<td>0.34</td>
</tr>
</tbody>
</table>

Note: The symbol on the last entry in each row signifies the p-values for difference in multipliers across state, where * indicates weak instrument robust p-value, $p_{AR} < 0.1$ and † indicates HAC-robust p-value, $p_{HAC} < 0.1$. 
Table 3. Estimates of Multipliers Across Monetary Policy Regimes

<table>
<thead>
<tr>
<th></th>
<th>Linear Model</th>
<th>Near Zero Lower Bound</th>
<th>Normal</th>
<th>P-value for difference in multipliers across states</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Baseline</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Military news shock</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.66</td>
<td>0.77</td>
<td>0.63</td>
<td>HAC=0.429</td>
</tr>
<tr>
<td></td>
<td>(0.067)</td>
<td>(0.106)</td>
<td>(0.149)</td>
<td>AR =0.504</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.71</td>
<td>0.77</td>
<td>0.77</td>
<td>HAC=0.992</td>
</tr>
<tr>
<td></td>
<td>(0.044)</td>
<td>(0.058)</td>
<td>(0.376)</td>
<td>AR =0.992</td>
</tr>
<tr>
<td>Blanchard-Perotti shock</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.38</td>
<td>0.64</td>
<td>0.10</td>
<td>HAC=0.000</td>
</tr>
<tr>
<td></td>
<td>(0.111)</td>
<td>(0.033)</td>
<td>(0.112)</td>
<td>AR =0.066</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.47</td>
<td>0.71</td>
<td>0.12</td>
<td>HAC=0.000</td>
</tr>
<tr>
<td></td>
<td>(0.110)</td>
<td>(0.033)</td>
<td>(0.115)</td>
<td>AR =0.062</td>
</tr>
<tr>
<td>Combined</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.41</td>
<td>0.67</td>
<td>0.26</td>
<td>HAC=0.000</td>
</tr>
<tr>
<td></td>
<td>(0.098)</td>
<td>(0.027)</td>
<td>(0.103)</td>
<td>AR =0.184</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.56</td>
<td>0.76</td>
<td>0.21</td>
<td>HAC=0.000</td>
</tr>
<tr>
<td></td>
<td>(0.084)</td>
<td>(0.040)</td>
<td>(0.136)</td>
<td>AR =0.208</td>
</tr>
</tbody>
</table>

Note: The values in brackets under the multipliers give the standard errors. HAC indicates HAC-robust p-values and AR indicates weak instrument robust Anderson-Rubin p-values.
<table>
<thead>
<tr>
<th></th>
<th>Linear Model</th>
<th>Near Zero Lower Bound</th>
<th>Normal Lower Bound</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Defining ZLB as T-bill rate ≤ 0.5</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.66</td>
<td>0.66</td>
<td>0.78</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.71</td>
<td>0.74</td>
<td>0.76</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.38</td>
<td>0.63</td>
<td>0.16†</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.47</td>
<td>0.70</td>
<td>0.20†</td>
</tr>
<tr>
<td><strong>Additional controls for taxes and inflation</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.67</td>
<td>0.94</td>
<td>0.55</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.71</td>
<td>0.86</td>
<td>0.52</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.37</td>
<td>0.67</td>
<td>0.08†</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.44</td>
<td>0.74</td>
<td>−0.02†</td>
</tr>
</tbody>
</table>

Note: The symbol on the last entry in each row signifies the p-values for difference in multipliers across state, where * indicates weak instrument robust p-value $p_{AR} < 0.1$ and † indicates HAC robust p-value $p_{HAC} < 0.1$. 
Table 5. Estimates of Multipliers Across Monetary Policy Regimes: Excluding World War II

<table>
<thead>
<tr>
<th></th>
<th>Linear Model</th>
<th>Near Zero Lower Bound</th>
<th>Normal</th>
<th>P-value for difference in multipliers across</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.77</td>
<td>1.40</td>
<td>0.63</td>
<td>HAC=0.000</td>
</tr>
<tr>
<td></td>
<td>(0.201)</td>
<td>(0.153)</td>
<td>(0.152)</td>
<td>AR =0.263</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.74</td>
<td>0.98</td>
<td>0.77</td>
<td>HAC=0.585</td>
</tr>
<tr>
<td></td>
<td>(0.158)</td>
<td>(0.100)</td>
<td>(0.375)</td>
<td>AR =0.637</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.13</td>
<td>1.08</td>
<td>0.10</td>
<td>HAC=0.197</td>
</tr>
<tr>
<td></td>
<td>(0.080)</td>
<td>(0.749)</td>
<td>(0.101)</td>
<td>AR =0.301</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.15</td>
<td>0.84</td>
<td>0.12</td>
<td>HAC=0.228</td>
</tr>
<tr>
<td></td>
<td>(0.093)</td>
<td>(0.574)</td>
<td>(0.115)</td>
<td>AR =0.416</td>
</tr>
<tr>
<td><strong>Combined</strong></td>
<td></td>
<td></td>
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<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.21</td>
<td>1.60</td>
<td>0.26</td>
<td>HAC=0.010</td>
</tr>
<tr>
<td></td>
<td>(0.087)</td>
<td>(0.507)</td>
<td>(0.103)</td>
<td>AR =0.216</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.26</td>
<td>1.10</td>
<td>0.21</td>
<td>HAC=0.001</td>
</tr>
<tr>
<td></td>
<td>(0.105)</td>
<td>(0.233)</td>
<td>(0.136)</td>
<td>AR =0.354</td>
</tr>
</tbody>
</table>

Note: The values in brackets under the multipliers give the standard errors. HAC indicates HAC-robust p-values and AR indicates weak instrument robust Anderson-Rubin p-values.
Table 6. Estimates of Multipliers from Threshold-VAR and Jordà method on the Historical Data

<table>
<thead>
<tr>
<th>ZLB Monetary Policy Regime</th>
<th>Linear</th>
<th>ZLB</th>
<th>Normal</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Threshold VAR</strong></td>
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<td></td>
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<tr>
<td><strong>Military news shock</strong></td>
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</tr>
<tr>
<td>2 year integral</td>
<td>0.61</td>
<td>0.75</td>
<td>0.43</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.64</td>
<td>0.83</td>
<td>0.31</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.36</td>
<td>0.62</td>
<td>0.03</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.40</td>
<td>0.70</td>
<td>0.07</td>
</tr>
<tr>
<td><strong>Jordà method</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.66</td>
<td>0.77</td>
<td>0.63</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.71</td>
<td>0.77</td>
<td>0.77</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.38</td>
<td>0.64</td>
<td>0.10</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.47</td>
<td>0.71</td>
<td>0.12</td>
</tr>
<tr>
<td><strong>NBER recession dates</strong></td>
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<td></td>
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<tr>
<td><strong>Threshold VAR</strong></td>
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</tr>
<tr>
<td><strong>Military news shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.61</td>
<td>0.59</td>
<td>0.52</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.64</td>
<td>0.57</td>
<td>0.52</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.36</td>
<td>-0.20</td>
<td>0.37</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.40</td>
<td>-0.25</td>
<td>0.39</td>
</tr>
<tr>
<td><strong>Jordà method</strong></td>
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<td></td>
<td></td>
</tr>
<tr>
<td><strong>Military news shock</strong></td>
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<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.66</td>
<td>0.63</td>
<td>0.55</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.71</td>
<td>0.67</td>
<td>0.64</td>
</tr>
<tr>
<td><strong>Blanchard-Perotti shock</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>2 year integral</td>
<td>0.38</td>
<td>0.15</td>
<td>0.50</td>
</tr>
<tr>
<td>4 year integral</td>
<td>0.47</td>
<td>0.25</td>
<td>0.58</td>
</tr>
</tbody>
</table>
Note: The vertical lines indicate major military events: 1898q1 (Spanish-American War), 1914q3 (WWI), 1939q3 (WWII), 1950q3 (Korean War), 1965q1 (Vietnam War), 1980q1 (Soviet invasion of Afghanistan), 2001q3 (9/11).
Figure 2. Evolution of variables during war episodes

Note: The first column shows real private activity (left-axis) and real government spending (right axis). The second column shows military spending news with shaded areas indicating periods we classify as the zero lower bound period for interest rate, and the third column shows the civilian unemployment rate. The first row corresponds to the period around World War I, the second row shows the time period around World War II and the last row shows the period around the Korean war.
Figure 3. Military spending news, Blanchard-Perotti shock and unemployment rate

Note: Shaded areas indicate periods when the unemployment rate is above the threshold of 6.5%. 

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Figure 4. Tests of Instrument Relevance Across States of Slack

Note: "Slack" is when the unemployment rate exceeds 6.5 percent. The lines show the difference between the effective F-statistic and the relevant threshold for the five percent level, and are capped at 30. The effective F-statistics are from the regression of the sum of government spending through horizon $h$ on the shock at $t$ and all the other controls from the second stage, separately for the military news variable (solid line), the Blanchard-Perotti shock (dashed line) and both instruments (line with asterisks). The first column shows the linear case, the second column shows the high unemployment state and the last column shows the low unemployment state. The full sample is 1890:1-2015:4, and the post-WWII sample spans 1947:3 - 2015:4.
Figure 5. Government spending and GDP responses to a news shock: Considering slack states

Note: Response of government spending and GDP to a news shock equal to 1% of GDP. The top row shows the response of government spending and the second row shows the response of GDP. The first column shows the responses in the linear and state-dependent model. The second column shows the responses in the linear model. The last column shows the state-dependent responses where the blue dashed lines are responses in the high unemployment state and the lines with red circles are responses in the low unemployment state. 95% confidence intervals are shown in second and third columns.
Figure 6. Cumulative multipliers for a news shock: Considering slack states

Note: Cumulative spending multipliers across different horizons to a news shock. The top panel shows the cumulative multipliers in the linear model. The bottom panel shows the state-dependent multipliers where the blue dashed lines are multipliers in the high unemployment state and the lines with red circles are multipliers in the low unemployment state. 95% confidence intervals are shown in all cases.
Figure 7. Alternative threshold of unemployment rate based on time-varying trend

Note: Unemployment rate with a time-varying trend. The solid line is the unemployment rate and the black dashed line shows the time varying trend based on HP filter with $\lambda = 10^6$, over a split sample, 1889 - 1929 and 1947 - 2015 and linearly interpolated for the small gap in trend unemployment between 1929 and 1947. Shaded areas indicate periods when the unemployment rate is above the time-varying trend.
Figure 8. Military spending news, Blanchard-Perotti shock and interest rate

Note: Shaded areas indicate periods which we classify as the zero lower bound period for interest rate.
Figure 9. Inflation, output gap and Taylor rule implied interest rate

Note: The top panel shows the year-over-year GDP deflator inflation rate and the second panel shows the output gap, which is constructed as the percentage deviation between real GDP and potential GDP. In the last panel, the dashed line shows the Taylor-rule implied nominal interest rate, and the solid line shows the data for the 3-month T-bill rate, with a dotted line for 1914-1919 showing the discount rate. In the last panel, the shaded areas indicate periods which we classify as the zero lower bound period for interest rate.
Figure 10. Tests of Instrument Relevance Across Monetary Policy Regimes

Note: "ZLB" is when interest rates are near the zero lower bound or the Fed is being very accommodative of fiscal policy (1932q1-1951q1, 2008q4-2015q4). The lines show the difference between the effective F-statistic and the relevant threshold for the five percent level, and are capped at 30. The effective F-statistics are from the regression of the sum of government spending through horizon $h$ on the shock at $t$ and all the other controls from the second stage, separately for the military news variable (solid line), the Blanchard-Perotti shock (dashed line) and both instruments (line with asterisks). The first column shows the linear case, the second column shows the high unemployment state and the last column shows the low unemployment state. The full sample is 1890:1-2015:4.
Figure 11. Government spending and GDP responses to a news shock: Considering zero lower bound

Note: Response of government spending and GDP to a news shock equal to 1% of GDP. The top row shows the response of government spending and the second row shows the response of GDP. The first column shows the responses in the linear and state-dependent model. The second column shows the responses in the linear model. The last column shows the state-dependent responses where the blue dashed lines are responses in the near zero lower bound state and the lines with red circles are responses in the normal state. 95% confidence intervals are shown in second and third columns.
Figure 12. Cumulative multipliers for a news shock: Considering zero lower bound

Note: Cumulative spending multipliers across different horizons for a news shock. The top panel shows the cumulative multipliers in the linear model. The bottom panel shows the state-dependent multipliers where the blue dashed lines are multipliers in the near zero-lower bound state and the lines with red circles are multipliers in the normal state. 95% confidence intervals are shown in all cases.